

The initial simulation on characteristic of lithium ion cells using COMSOL soft

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Want to do

- Simulation on lithium ion cells
 - Simulation on charge-discharge behavior of lithium ion cells
 - Simulation on thermal and safety of lithium ion cells
 - Design for lithium ion cells – collector, stress
- Simulation on fuel cells
- Simulation on metal-air cells
- Simulation on solar cell
- Design for material

Why?

For lithium-ion batteries, the risk of exploding has restricted the application



Thermal simulation is a useful way to understand and design safer batteries !

Initial simulation



➤ Electrochemical-thermal simulation on lithium-ion cells

Simple simulation J. Newman model R. E. White model

➤ Thermal simulation on lithium-ion cells

Adiabatic test Oven test

➤ Others

Electric current and temperature distribution on collector

Electric current and temperature distribution on joint

Stretch and stress

Electrochemical-thermal simulation

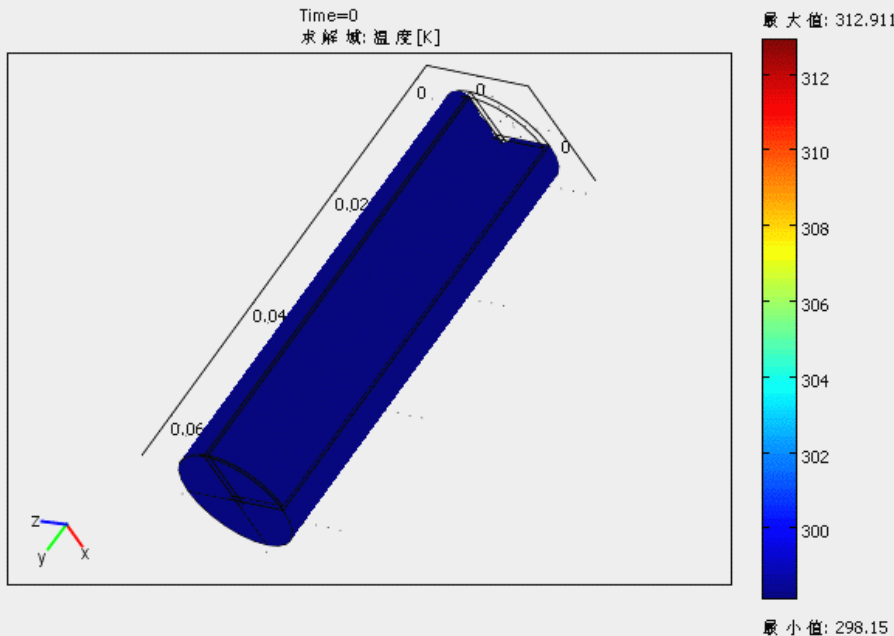
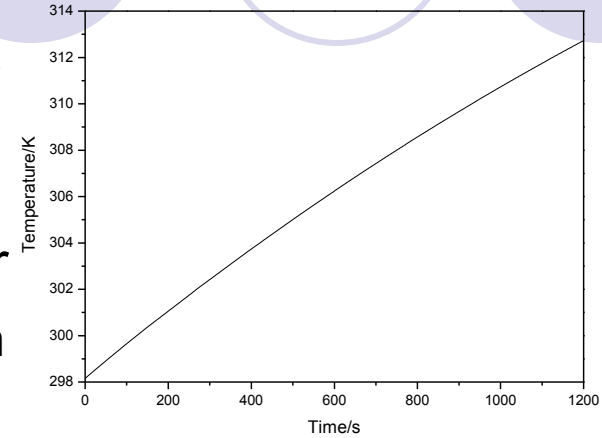
Physical models:

Heat transfer or Heat transfer -Static electric

Parameter:

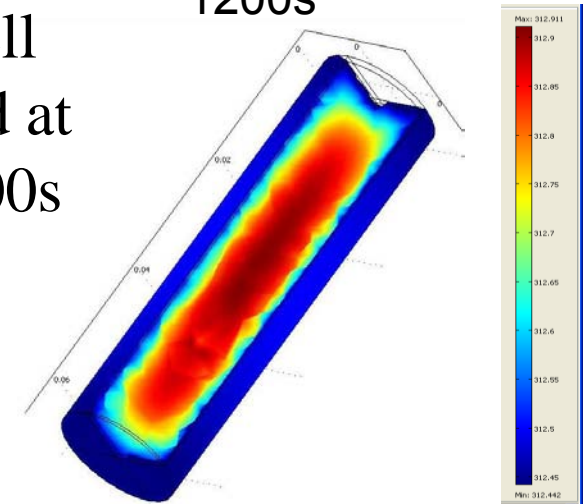
Resistance/Conductance, dU/dT , Heat transfer coefficient, Thermal capacity, Heat conduction coefficient, Density

Simple simulation



18650 cell
discharged at
3A for 1200s

Temperature
distribution at
1200s



Electrochemical-thermal simulation

Simulation the progress of charge-discharge, to understand the physical and chemical changes in cells

J. Newman model

Expressions:

$$\nabla(-\kappa_1^{eff} \nabla \phi_1) = -S_a i_{loc}$$

$$\nabla \left[-\kappa_2^{eff} \nabla \phi_2 + \frac{2RT\kappa_2^{eff}}{F} \left(1 + \frac{\partial \ln f}{\partial \ln c_2} \right) (1-t_+) \nabla(\ln c_2) \right] = S_a i_{loc}$$

$$\frac{dc_1}{dt} + \frac{1}{r_p^2} \frac{\partial}{\partial r_p} (-r_p^2 D_1 \frac{\partial}{\partial r_p} (c_1)) = 0$$

$$\varepsilon_2 \frac{dc_2}{dt} + \nabla(-D_2^{eff} \nabla c_2) = \frac{S_a i_{loc}}{F} (1-t_+)$$

$$\rho C_p \frac{\partial T}{\partial t} - \nabla(K \nabla T) = Q$$

$$Q = S_a i_{loc} (\phi_1 - \phi_2 - U) + S_a i_{loc} T \frac{\partial U}{\partial T} + \kappa_1^{eff} \nabla \phi_1 \cdot \nabla \phi_1 + \kappa_2^{eff} \nabla \phi_2 \cdot \nabla \phi_2$$

$$+ \frac{2RT\kappa_2^{eff}}{F} \left(1 + \frac{\partial \ln f}{\partial \ln c_2} \right) (1-t_+) \nabla(\ln c_2) \cdot \nabla \phi_2$$

$$i_{loc} = k c_2^{\alpha_a} (c_1^{\max} - c_1)^{\alpha_a} c_1^{\alpha_c} \left\{ \exp \left[\frac{\alpha_a F}{RT} (\phi_1 - \phi_2 - U) \right] - \exp \left[-\frac{\alpha_c F}{RT} (\phi_1 - \phi_2 - U) \right] \right\}$$

Physical models :

PDE (2) , Diffusion

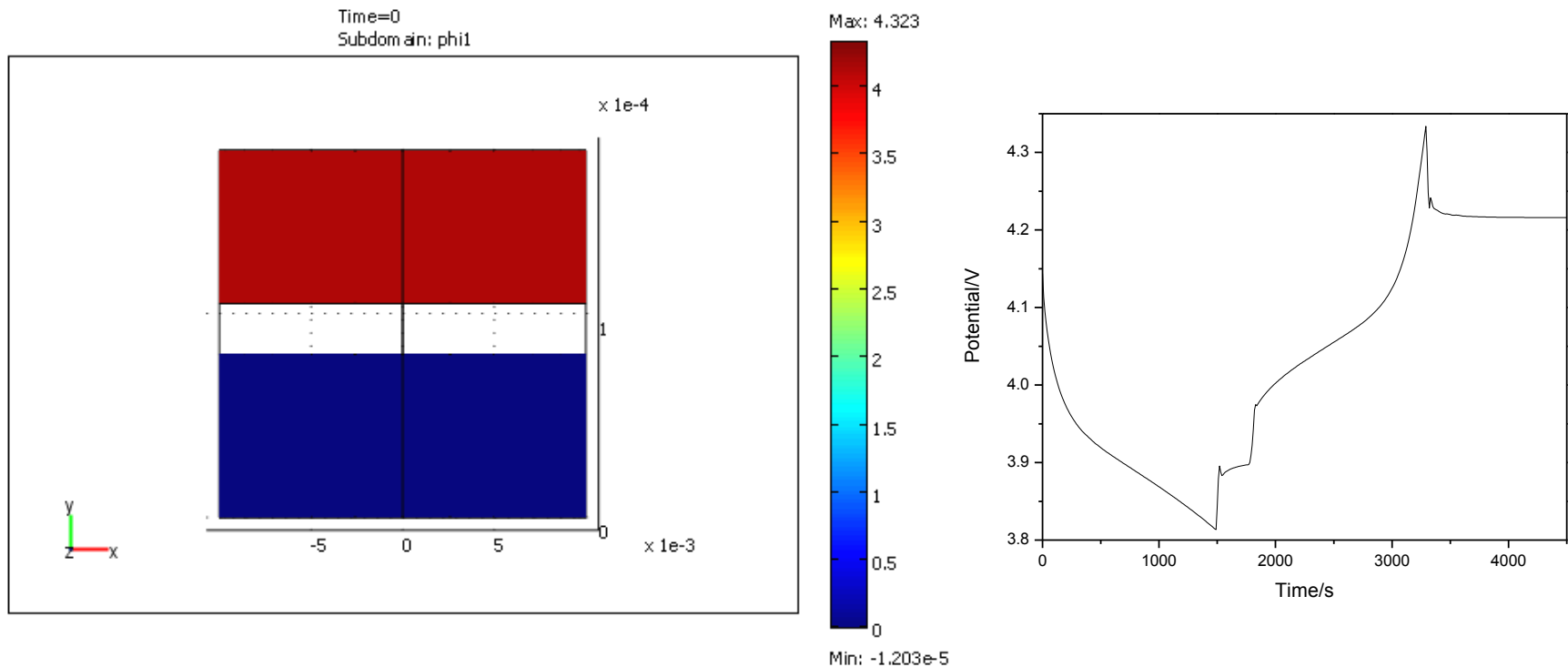
(2) , Heat transfer

Parameter :

Porosity, Radius, Surface area, dU/dT, Equilibrium potential, Diffusion coefficient (liquid, solid), Conductance (liquid, solid), Reaction rate coefficient, Heat transfer coefficient, Thermal capacity, Heat conduction coefficient, Density

Electrochemical-thermal simulation

J. Newman model

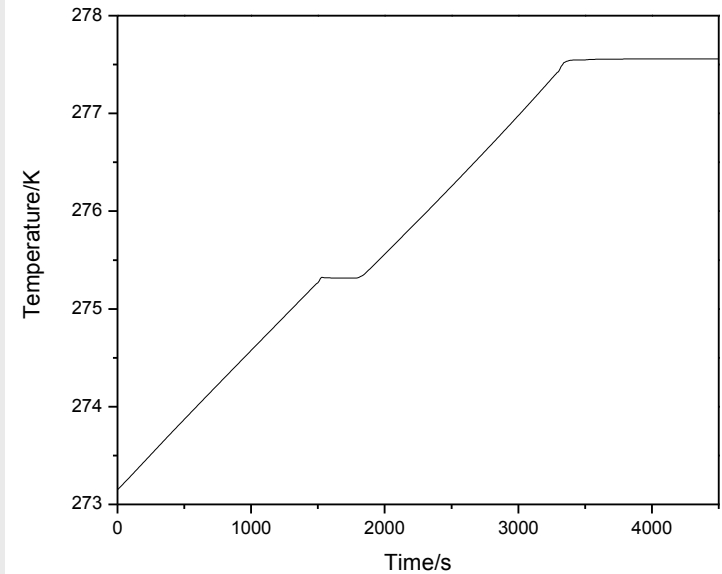
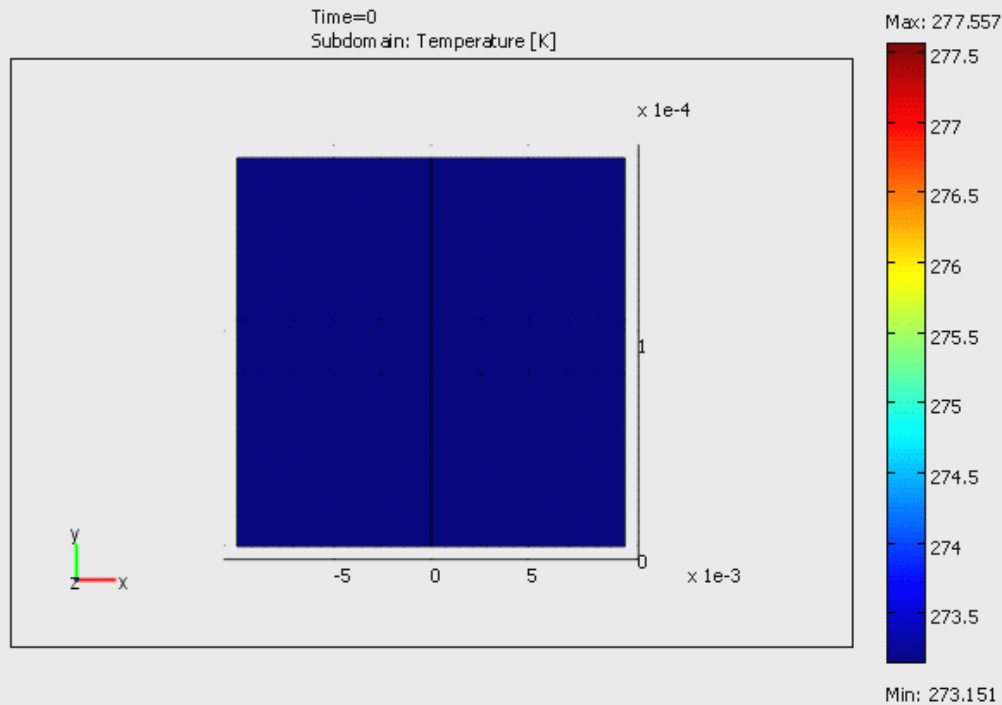


Cell voltage

2430 coin cell discharged at 9A/m^2 for 1500s, rest for 300s, and charged at 9A/m^2 for 1500s

Electrochemical-thermal simulation

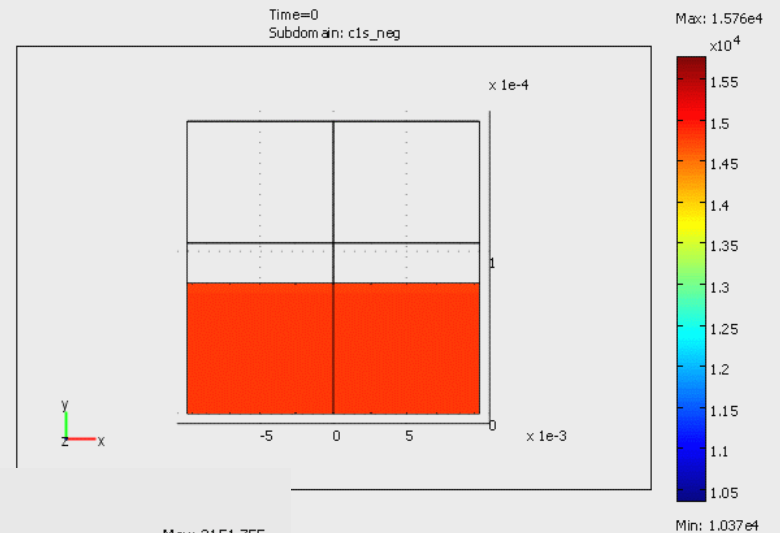
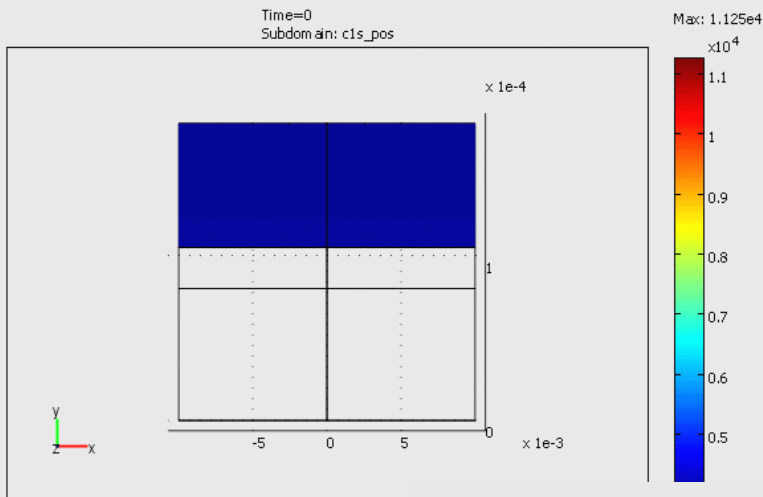
J. Newman model



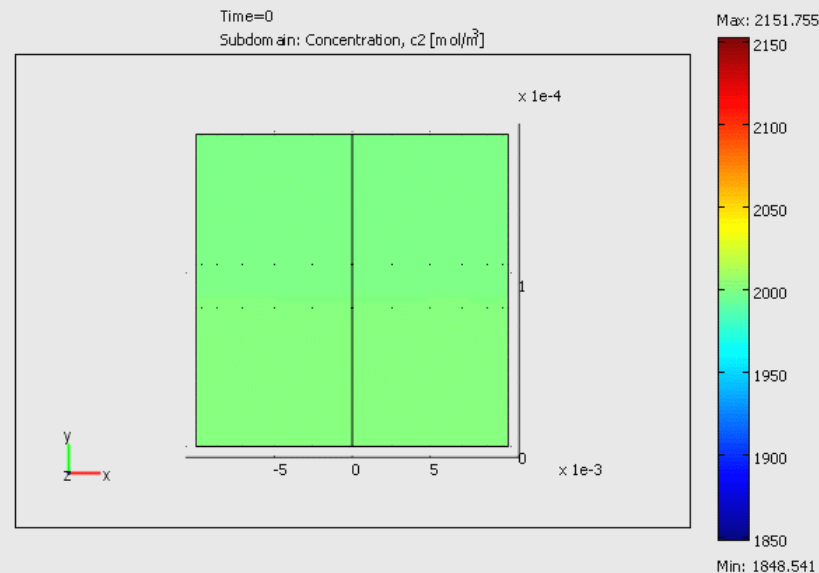
Cell temperature

Electrochemical-thermal simulation

J. Newman model



Positive
concentration

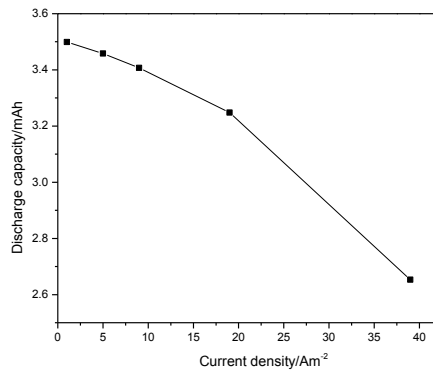
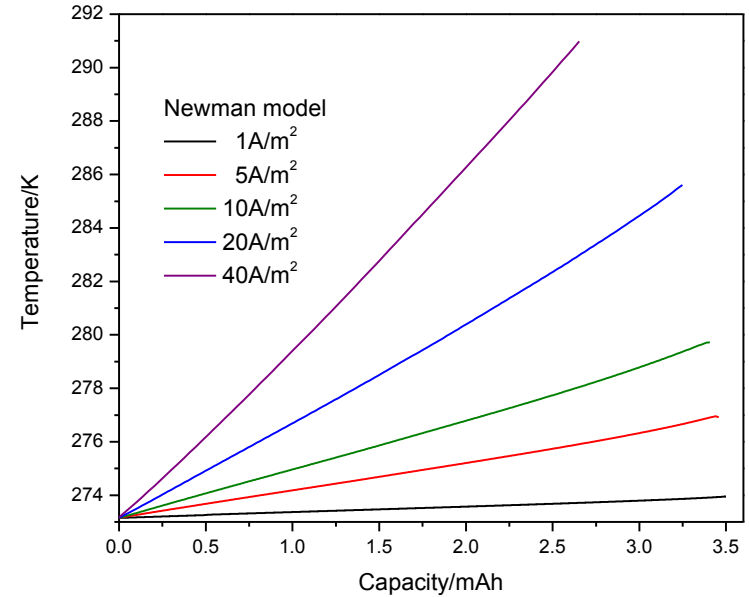
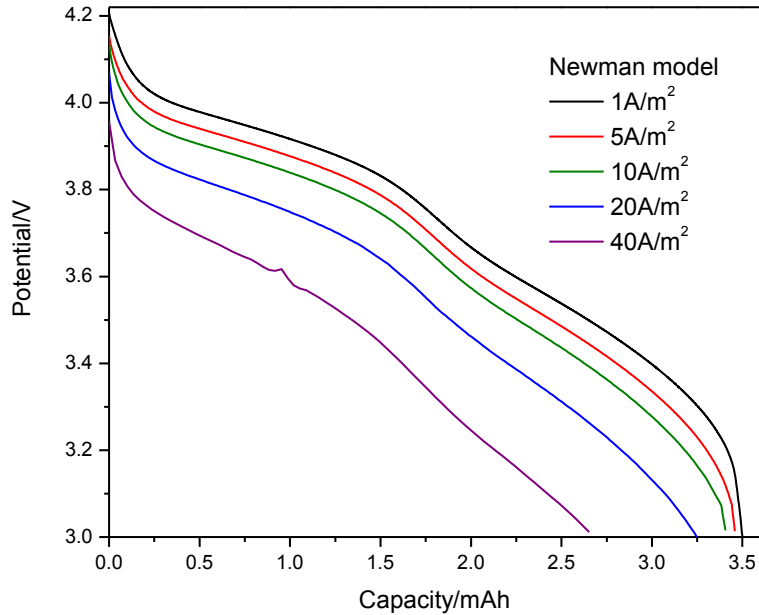


Negative
concentration

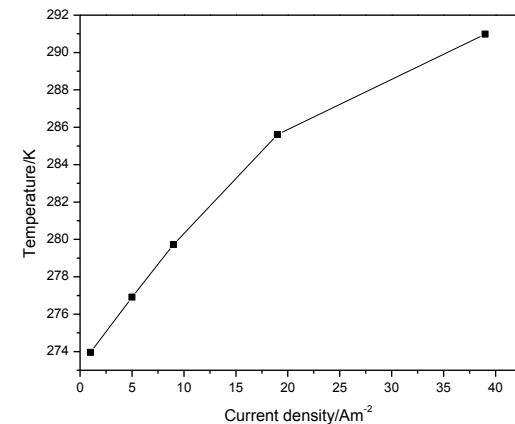
Electrolyte
concentration

Electrochemical-thermal simulation

J. Newman model



Discharged at
different current
densities



Electrochemical-thermal simulation

Simulate the progress of charge-discharge, to understand the physical and chemical changes in cells

R. E. White model

Expressions:

$$\nabla(-\kappa_1^{eff} \nabla \phi_1) = -S_a i_{loc}$$

$$\nabla \left[-\kappa_2^{eff} \nabla \phi_2 + \frac{2RT\kappa_2^{eff}}{F} \left(1 + \frac{\partial \ln f}{\partial \ln c_2} \right) (1-t_+) \nabla(\ln c_2) \right] = S_a i_{loc}$$

$$\frac{\partial c_1^{ave}}{\partial t} = -\frac{3S_a i_{loc}}{F} \quad c_1^{ave} - c_1 = \frac{i_{loc} r_p}{5FD_1}$$

$$\varepsilon_2 \frac{dc_2}{dt} + \nabla(-D_2^{eff} \nabla c_2) = \frac{S_a i_{loc}}{F} (1-t_+)$$

$$\rho C_p \frac{\partial T}{\partial t} - \nabla(K \nabla T) = Q$$

$$Q = S_a i_{loc} (\phi_1 - \phi_2 - U) + S_a i_{loc} T \frac{\partial U}{\partial T} + \kappa_1^{eff} \nabla \phi_1 \cdot \nabla \phi_1 + \kappa_2^{eff} \nabla \phi_2 \cdot \nabla \phi_2$$

$$+ \frac{2RT\kappa_2^{eff}}{F} \left(1 + \frac{\partial \ln f}{\partial \ln c_2} \right) (1-t_+) \nabla(\ln c_2) \cdot \nabla \phi_2$$

$$i_{loc} = k c_2^{\alpha_a} (c_1^{\max} - c_1)^{\alpha_a} c_1^{\alpha_c} \left\{ \exp \left[\frac{\alpha_a F}{RT} (\phi_1 - \phi_2 - U) \right] - \exp \left[-\frac{\alpha_c F}{RT} (\phi_1 - \phi_2 - U) \right] \right\}$$

Physical models :

PDE (3) , Diffusion

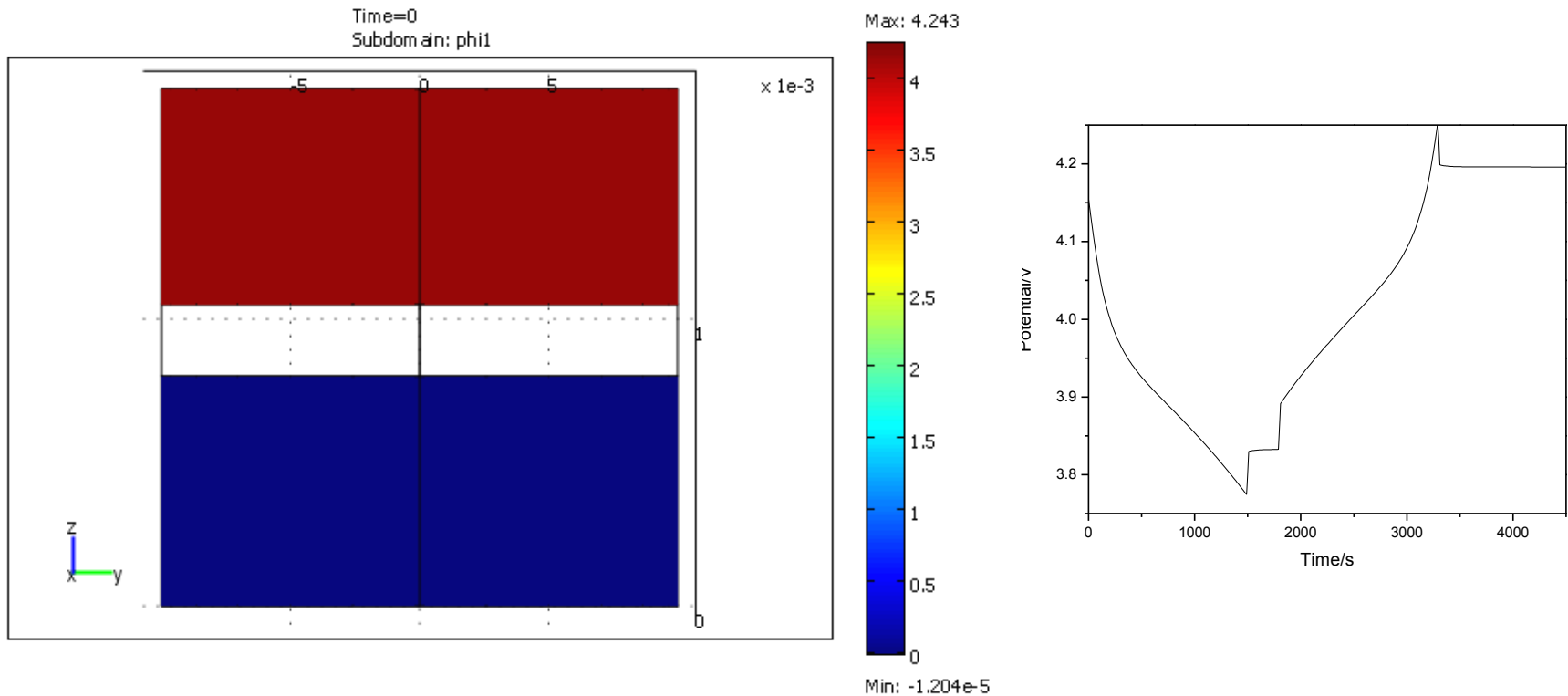
(1) , Heat transfer

Parameter :

Porosity, Radius, Surface area, dU/dT , Equilibrium potential , Diffusion coefficient (liquid, solid), Conductance (liquid, solid), Reaction rate coefficient, Heat transfer coefficient, Thermal capacity , Heat conduction coefficient , Density

Electrochemical-thermal simulation

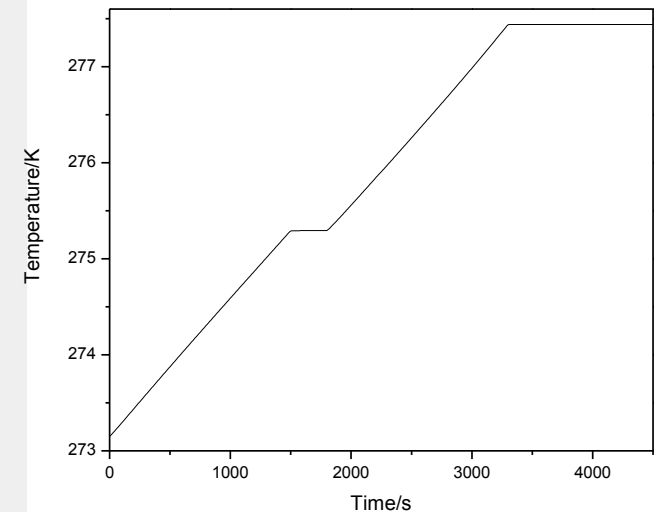
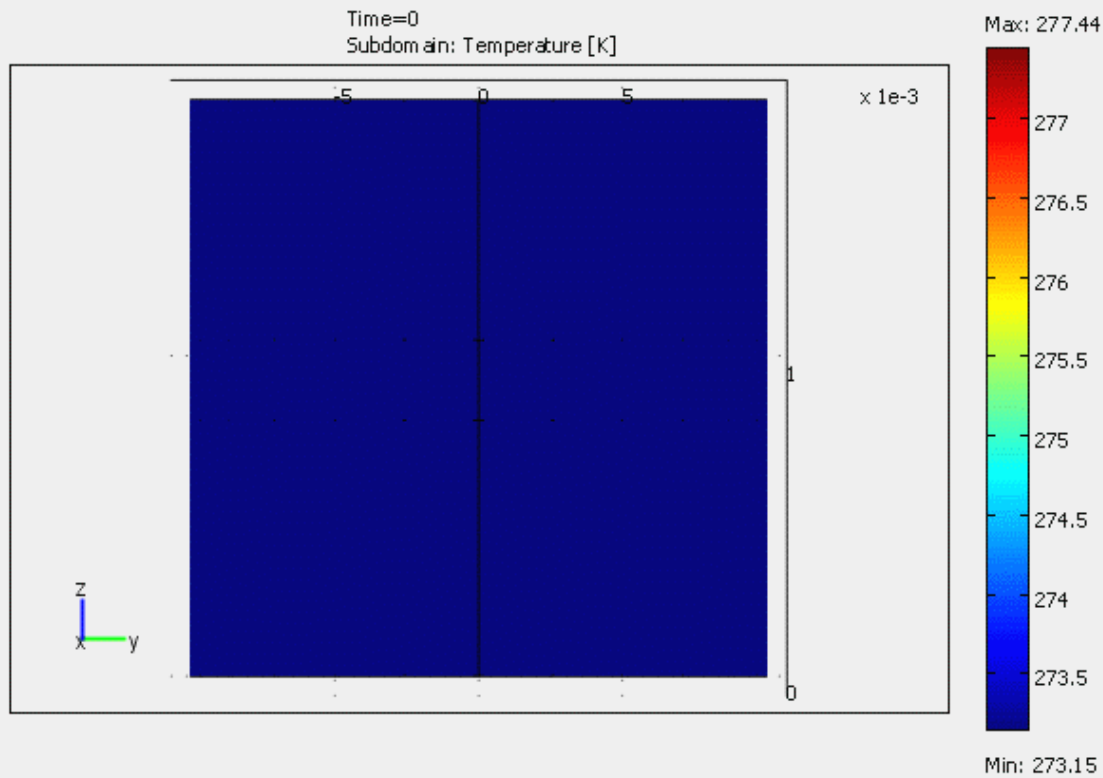
R. E. White model



2430 coin cell discharged at 9A/m^2 for 1500s, rest for 300s, and charged at 9A/m^2 for 1500s

Electrochemical-thermal simulation

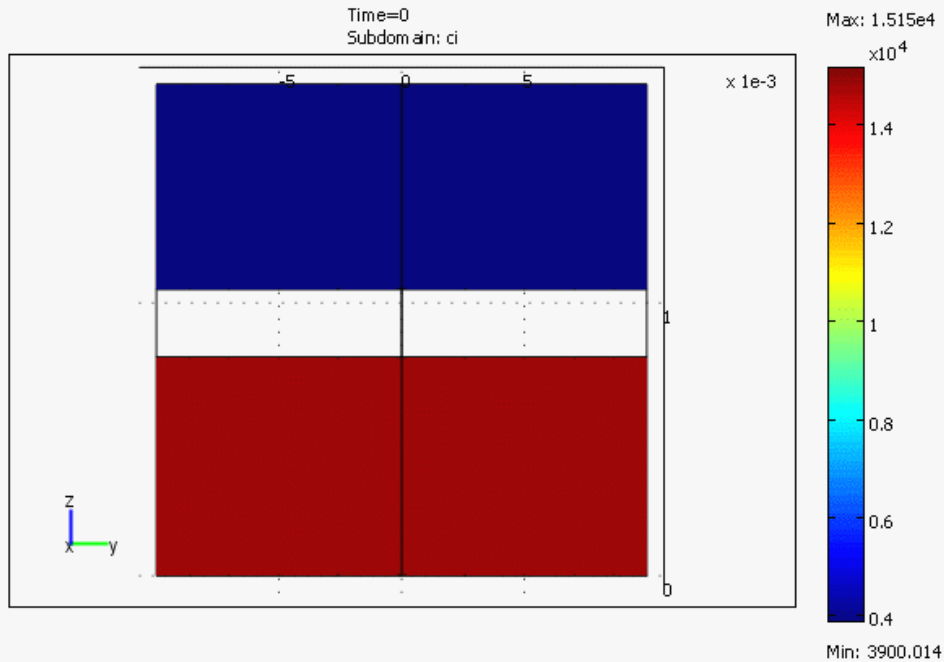
R. E. White model



Cell temperature

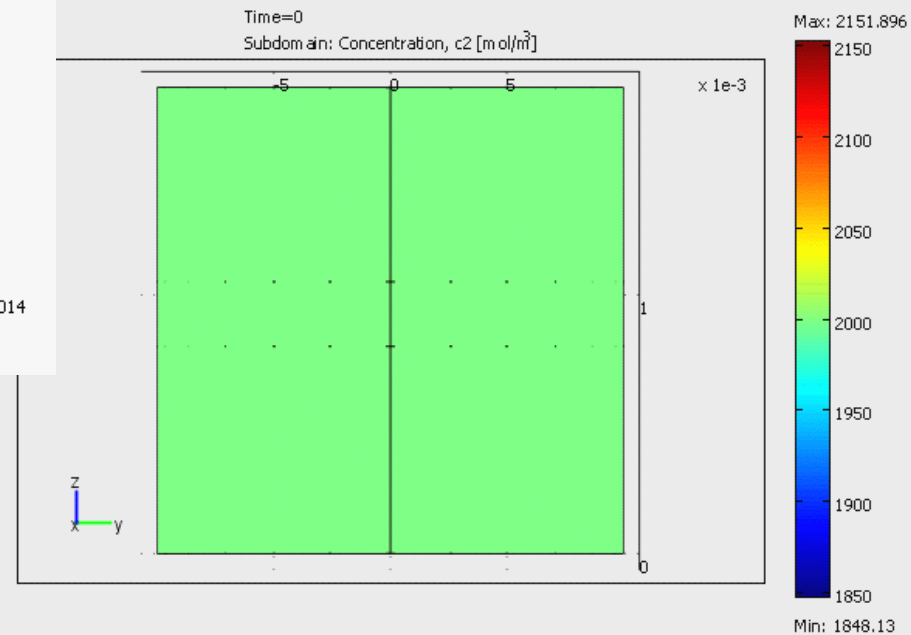
Electrochemical-thermal simulation

R. E. White model



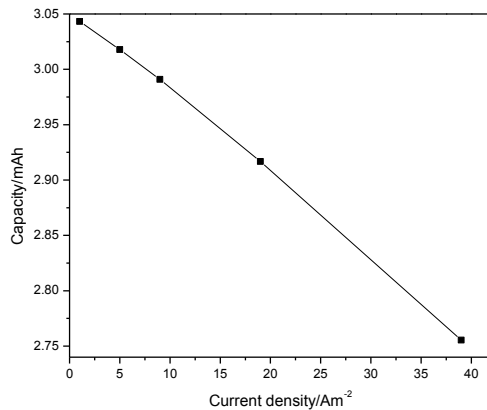
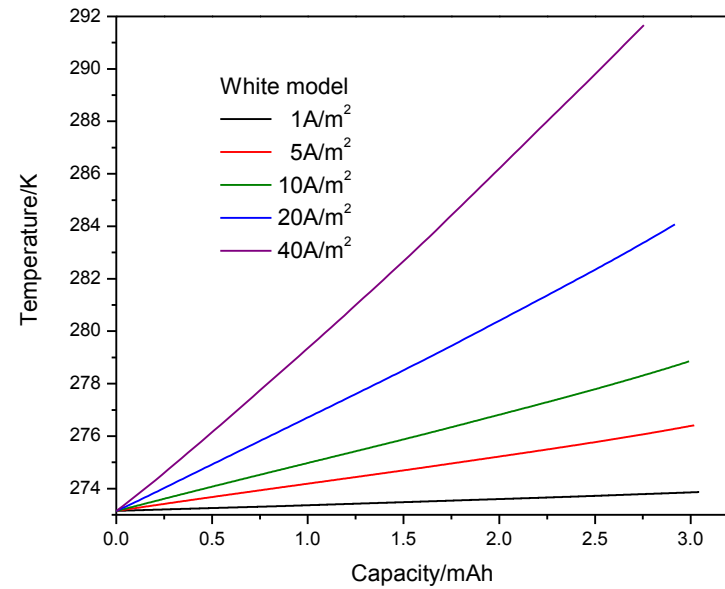
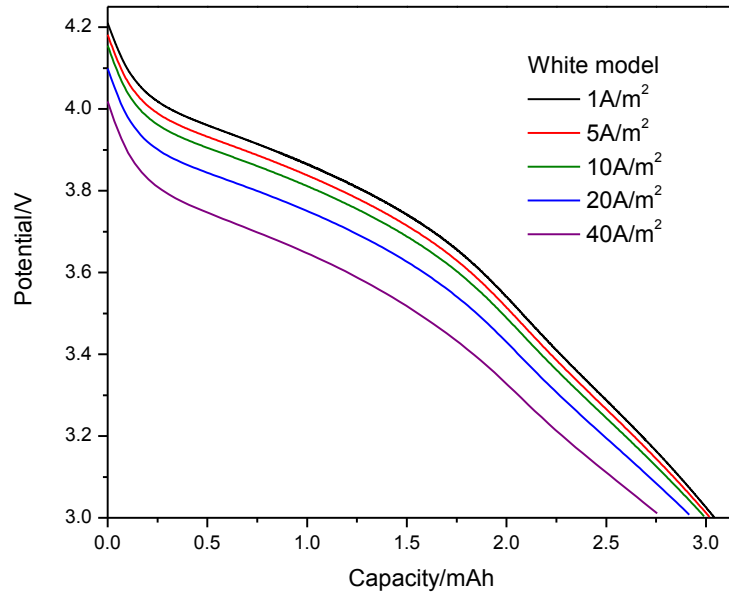
Positive/negative
concentration

Electrolyte concentration

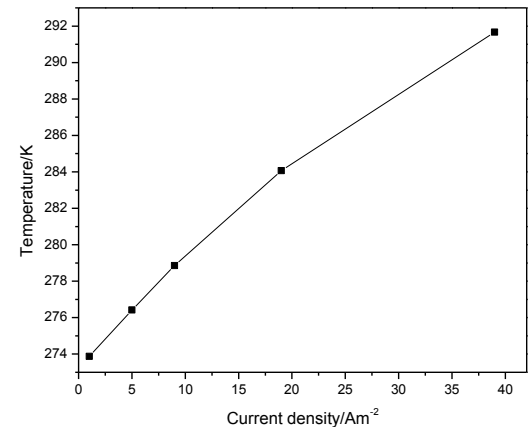


Electrochemical-thermal simulation

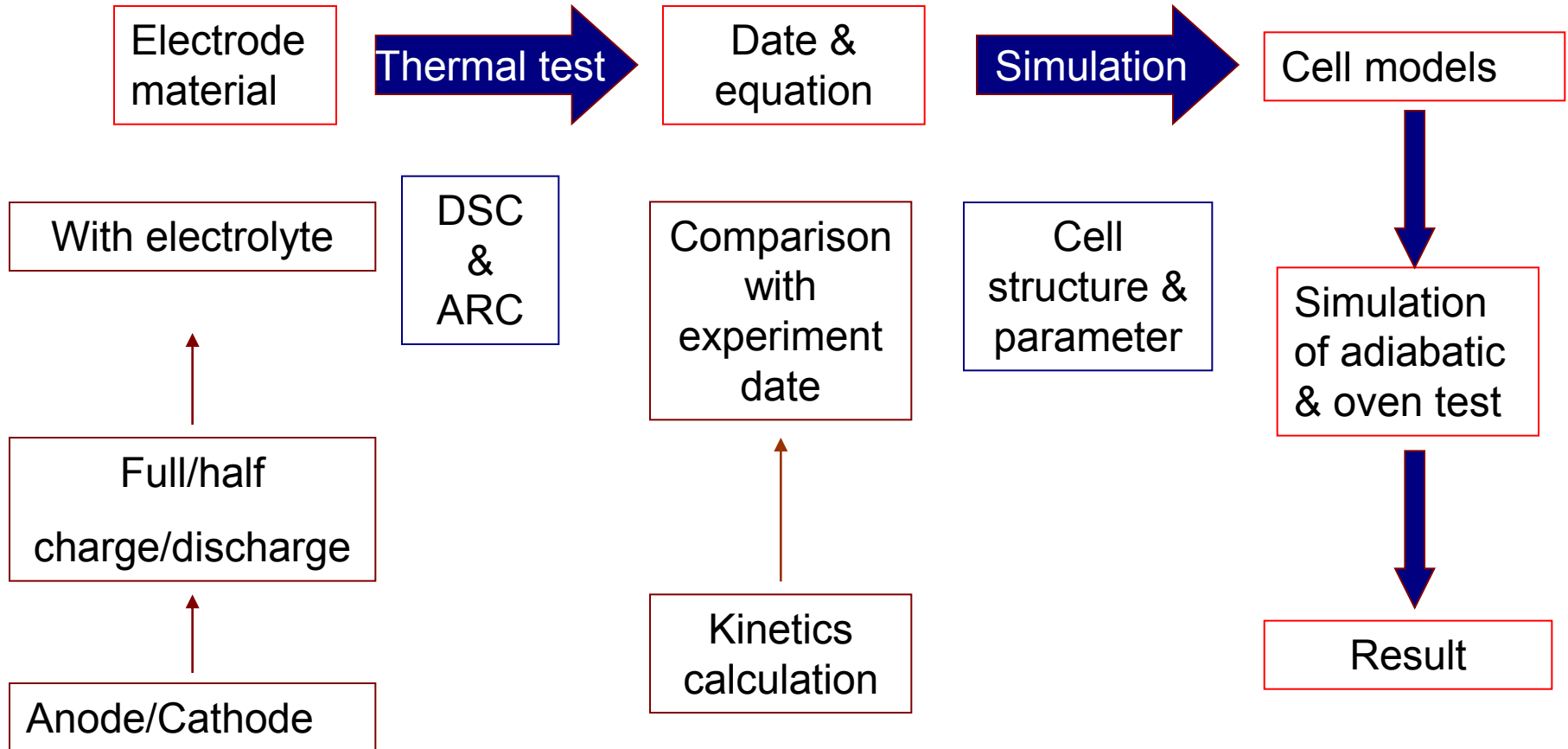
R. E. White model



Discharged at
different current
densities



Thermal simulation



Thermal simulation

Simulate the thermal behavior and safety of lithium ion cells

Expressions:

$$\delta\rho_i C_{pi} \frac{\partial T}{\partial t} - \nabla(K_i \nabla T) = Q$$

$$\frac{dx_1}{dt} = -A \exp\left(-\frac{E_a}{RT}\right) x_1^n (1-x_1)^a$$

$$\frac{dx_2}{dt} = -A \exp\left(-\frac{E_a}{RT}\right) x_2^n (1-x_2)^a$$

.....

$$\frac{dx}{dt} = -R$$

$$Q = \sum_i H_i \rho_i R_i$$

Physical models :

PDE (n) , Heat transfer (1)

Parameter :

Heat transfer coefficient,
Thermal capacity , Heat
conduction coefficient ,
Density, Activation energy,
frequency factor , enthalpy,
reaction order

6 group of reaction rate expressions
used in the example:

Positive 1, Negative 2, Electrolyte 3

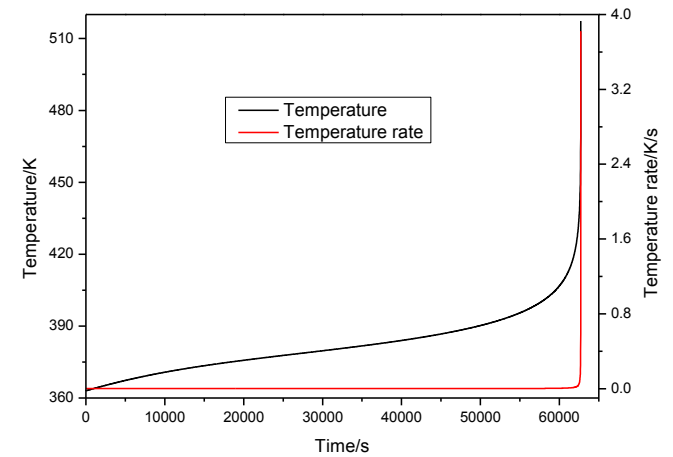
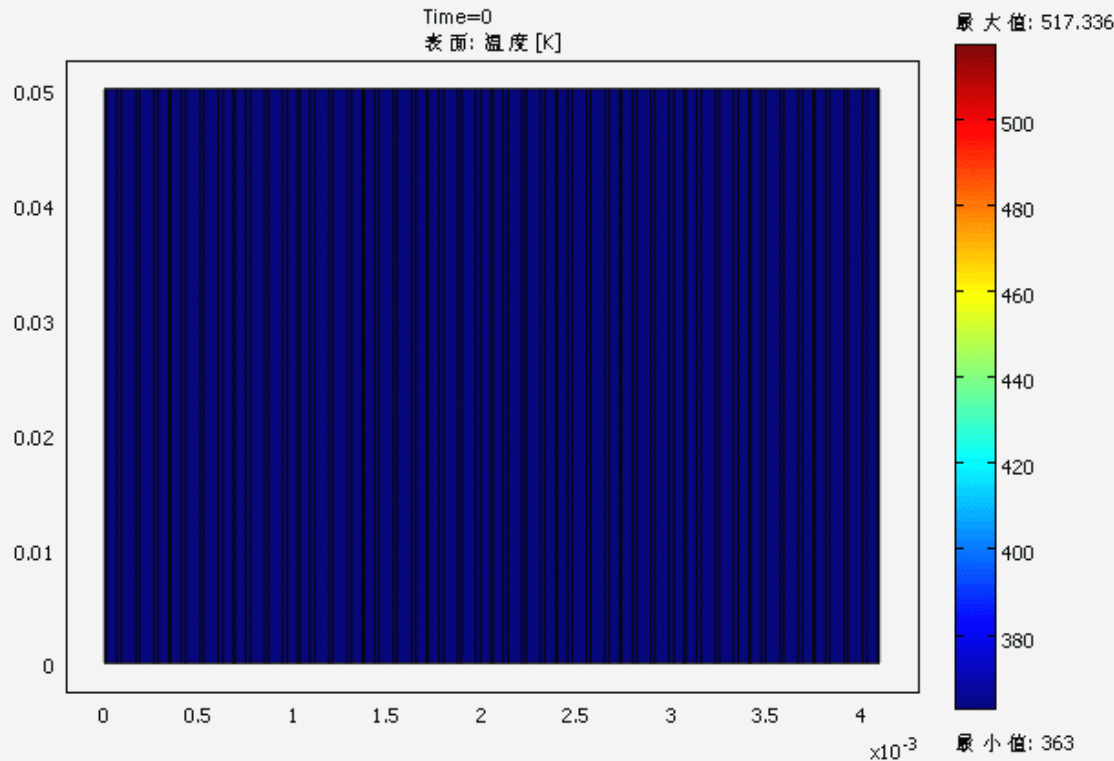
Thermal simulation

Li-Co-O/C cell

Adiabatic

363K

Temperature



Thermal simulation

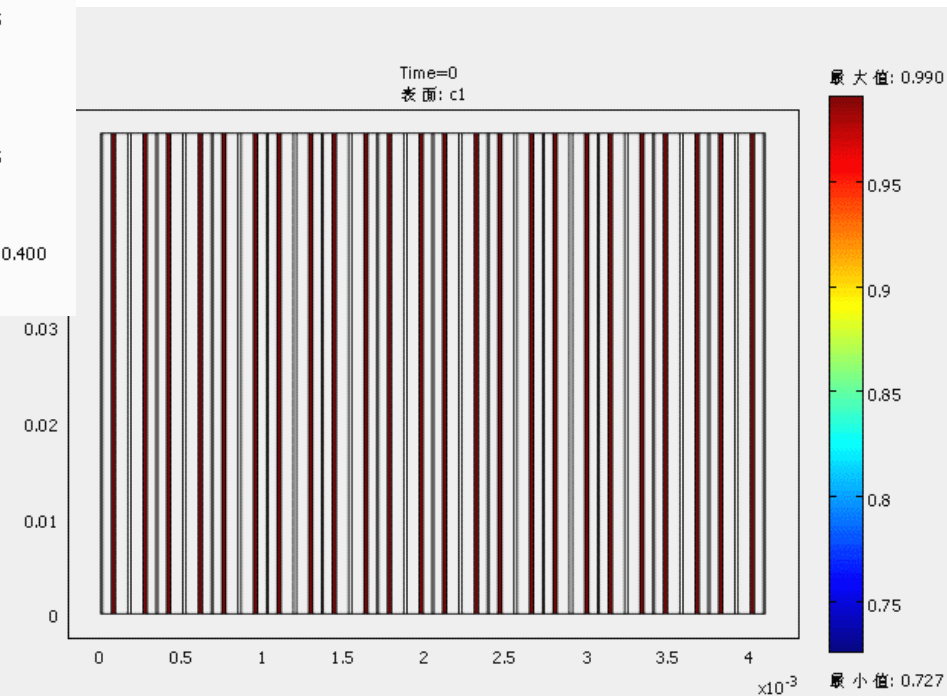
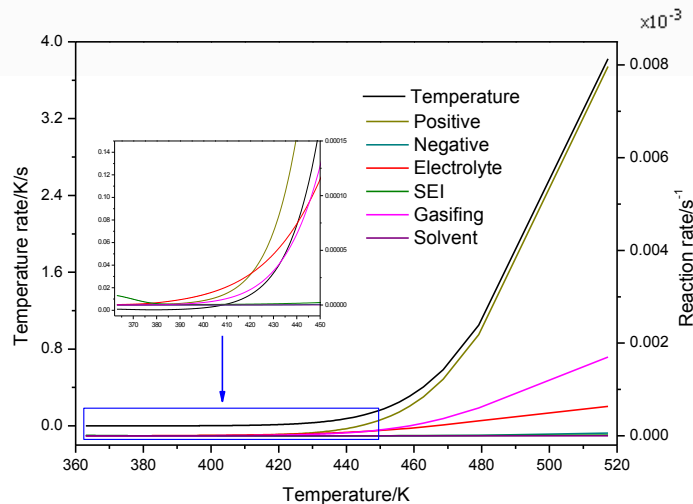
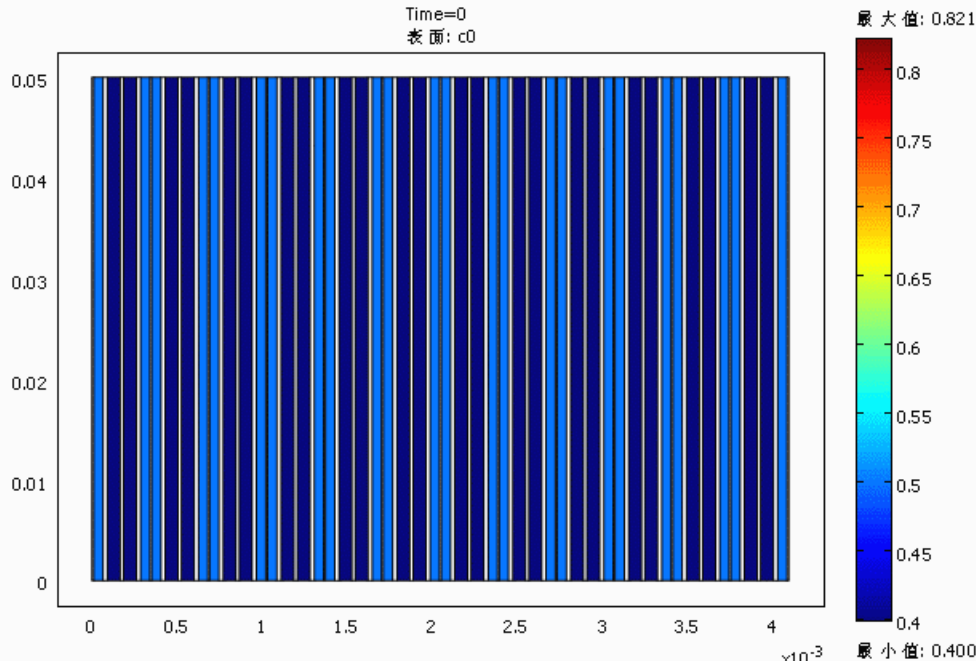
Adiabatic

Li-Co-O/C cell

363K

Electrode
concentration

Electrolyte
concentration

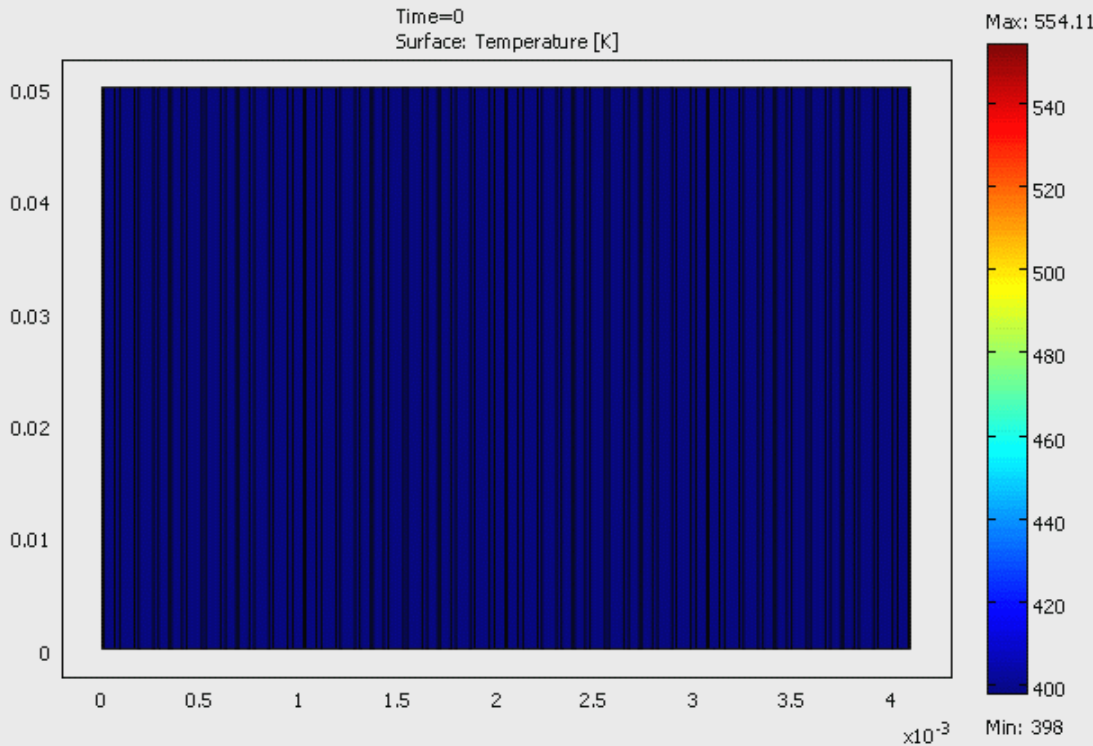


Thermal simulation

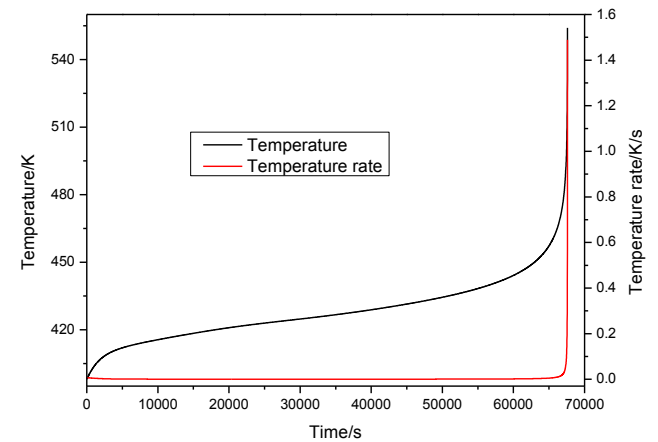
LiFePO₄/C cell

Adiabatic

398K



Temperature



Thermal simulation

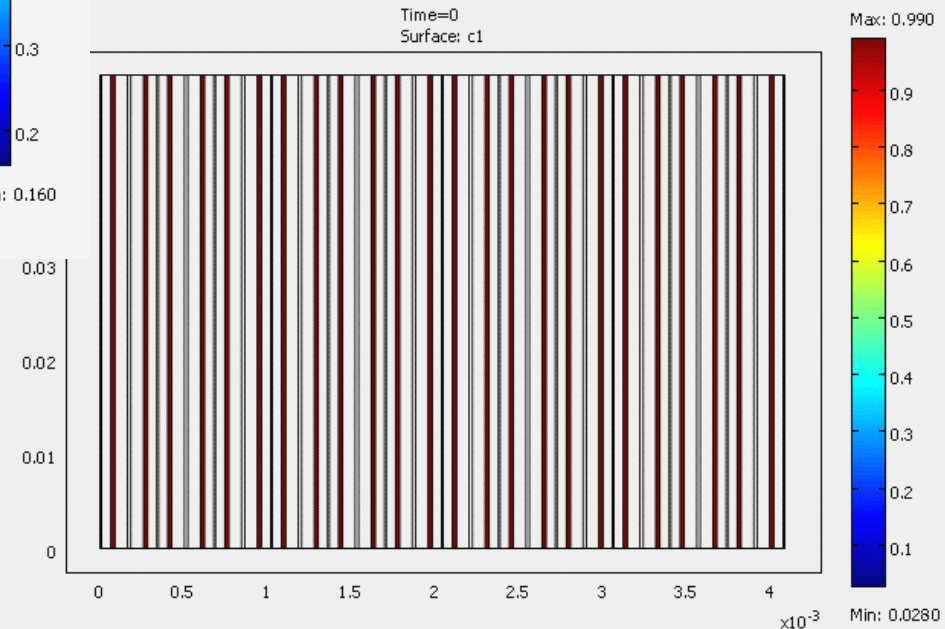
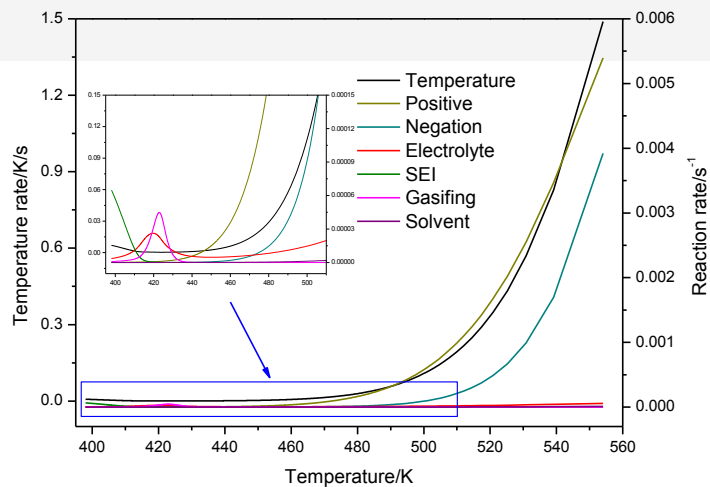
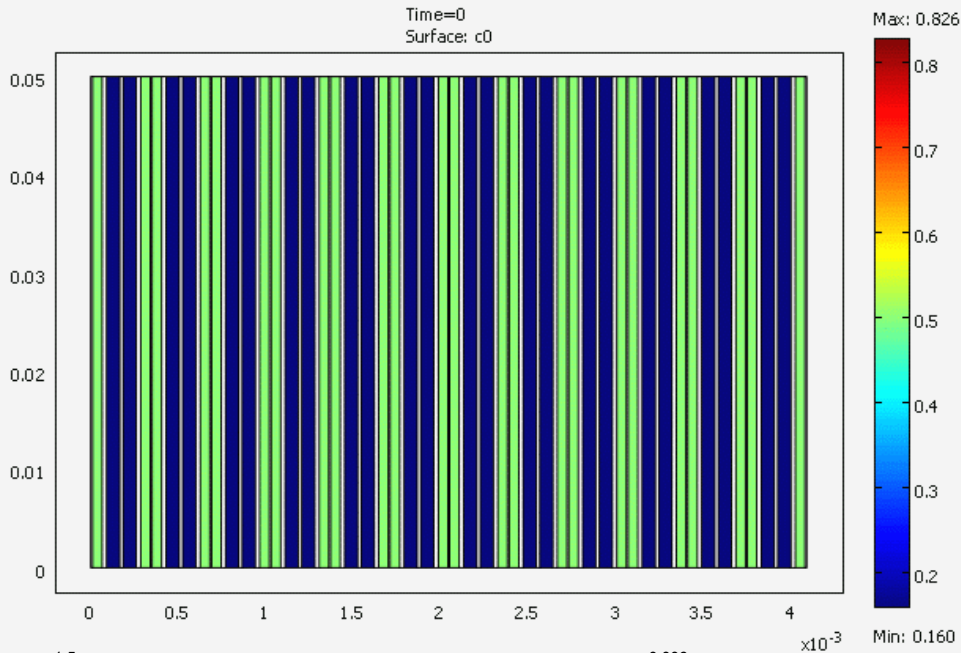
Adiabatic

LiFePO₄/C cell

398K

Electrode
concentration

Electrolyte
concentration



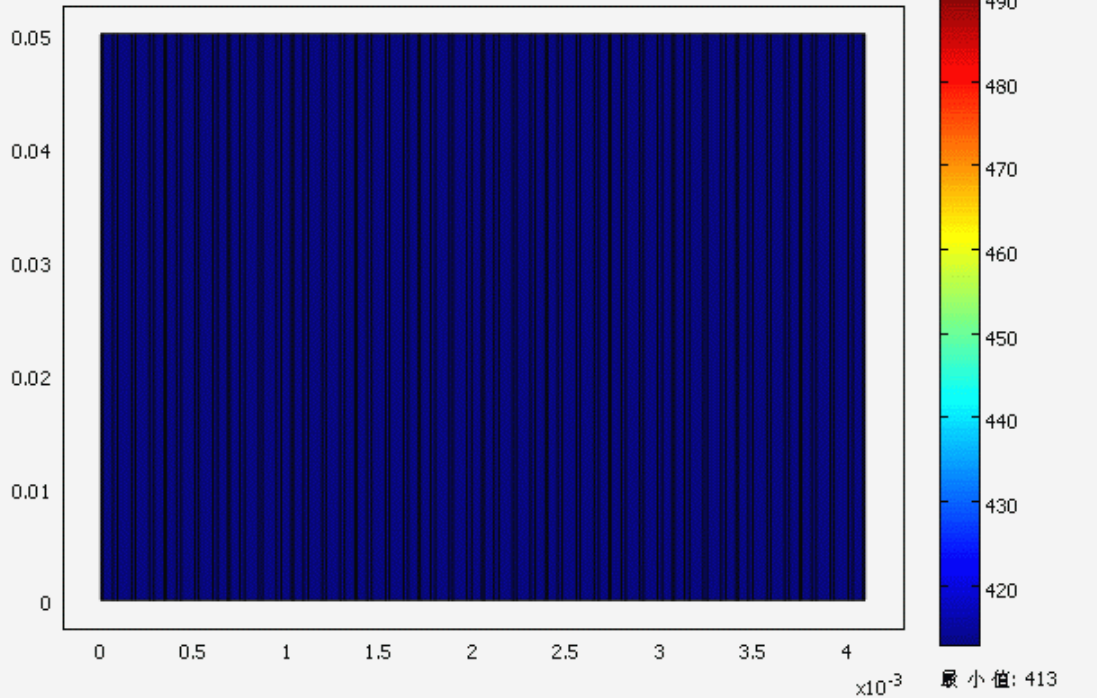
Thermal simulation

LiFePO₄/Li-Ti-O cell

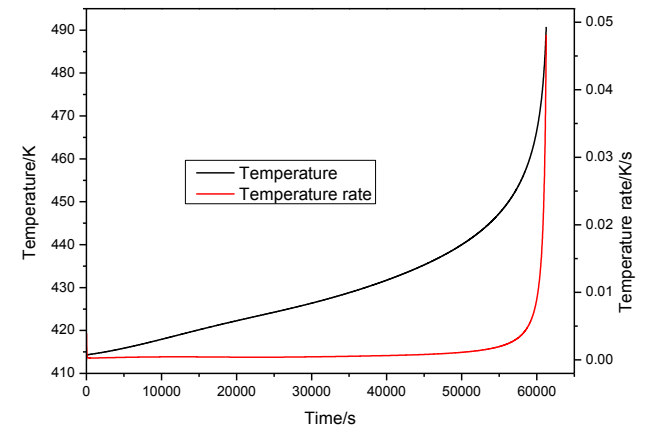
413K

Adiabatic

Time=0
表面: 温度 [K]



Temperature



Thermal simulation

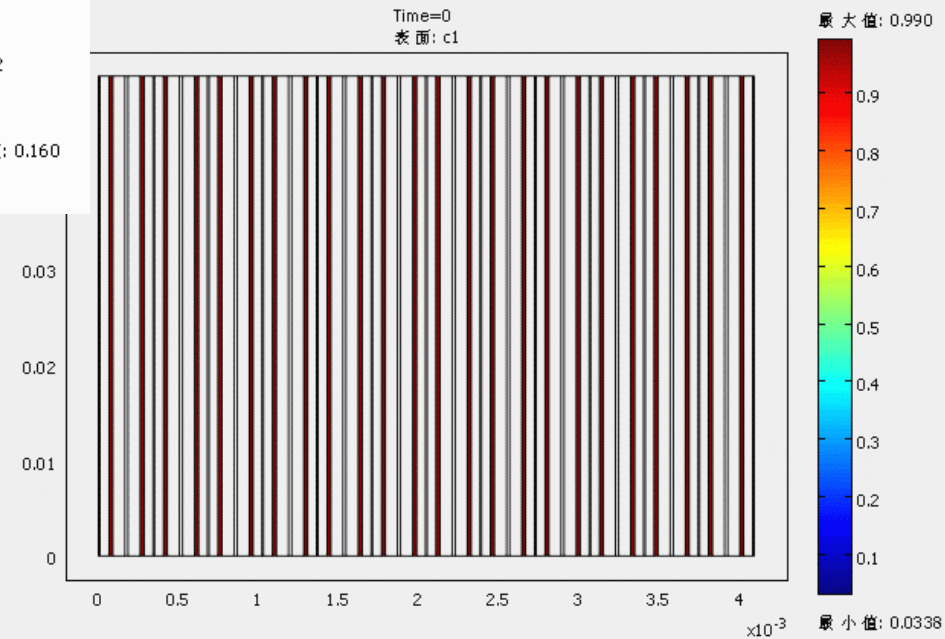
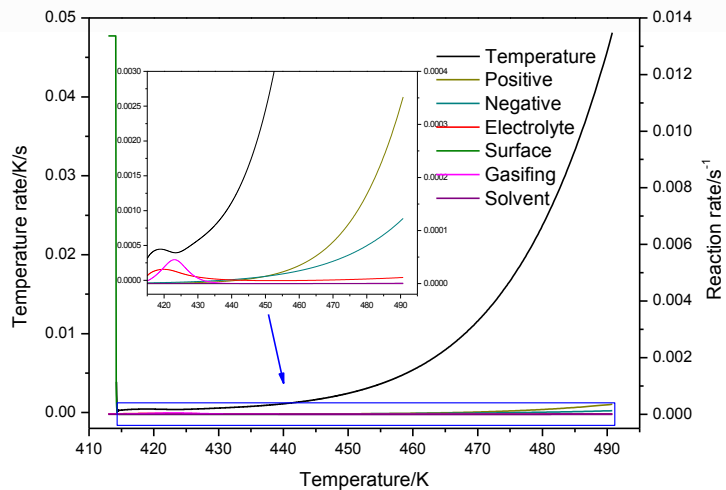
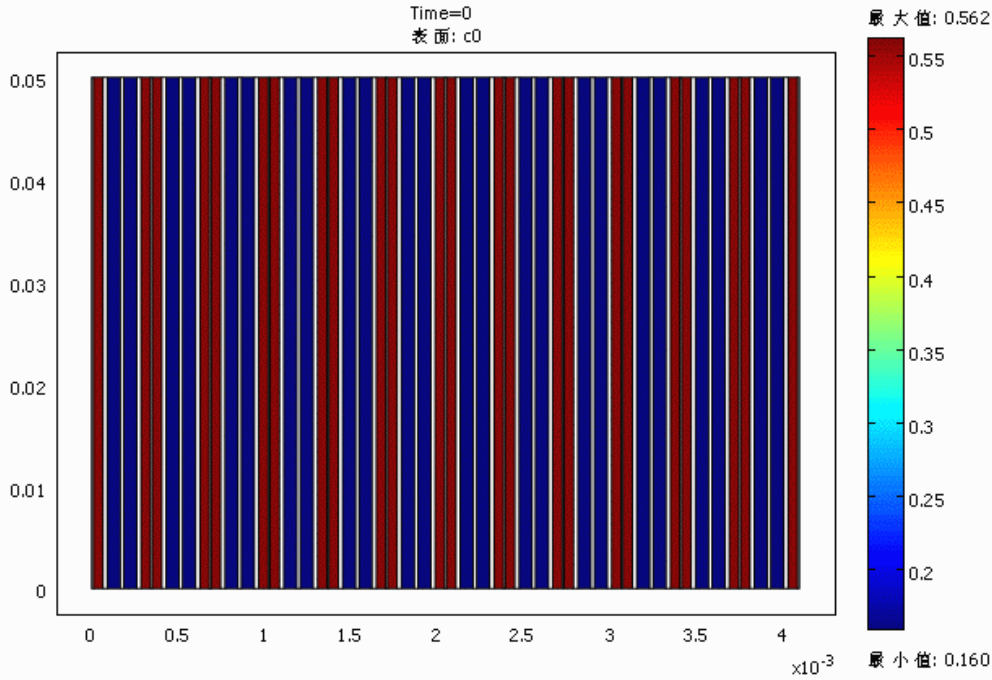
Adiabatic

LiFePO₄/Li-Ti-O cell

413K

Electrode concentration

Electrolyte concentration

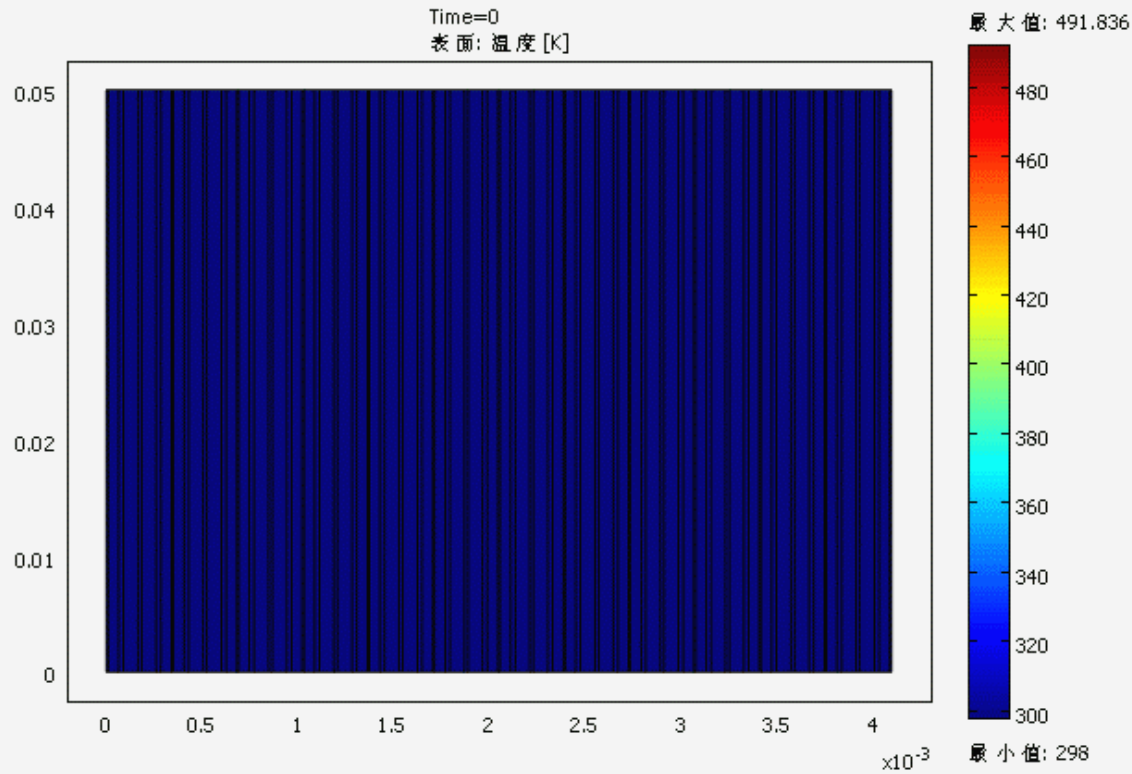


Thermal simulation

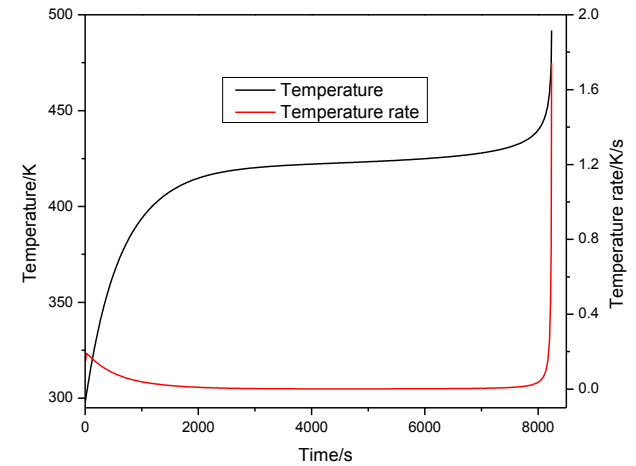
Oven test

Li-Co-O/C cell

413K



Temperature



Thermal simulation

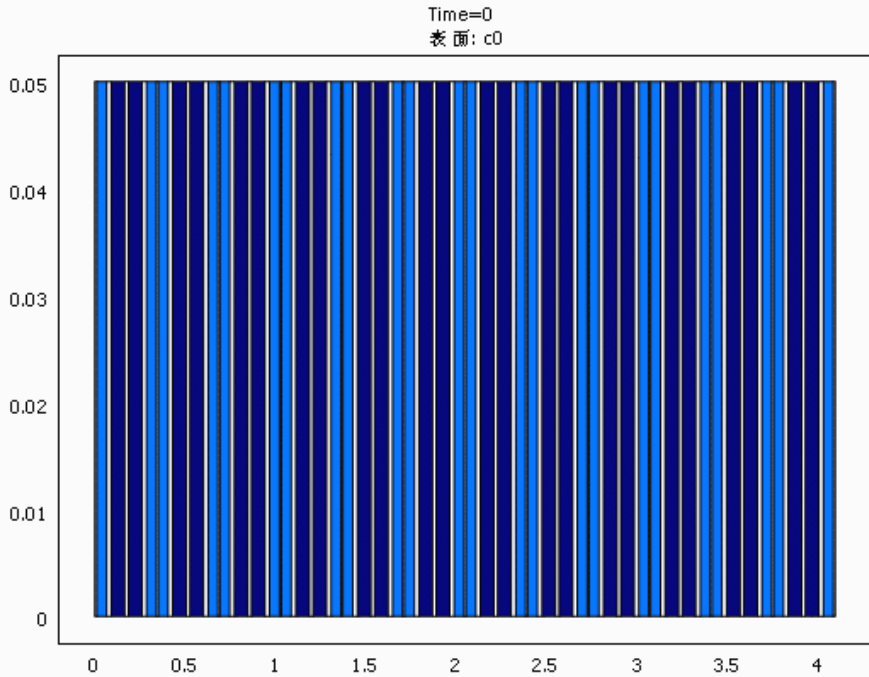
Oven test

Li-Co-O/C cell

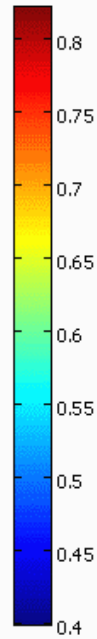
413K

Electrode
concentration

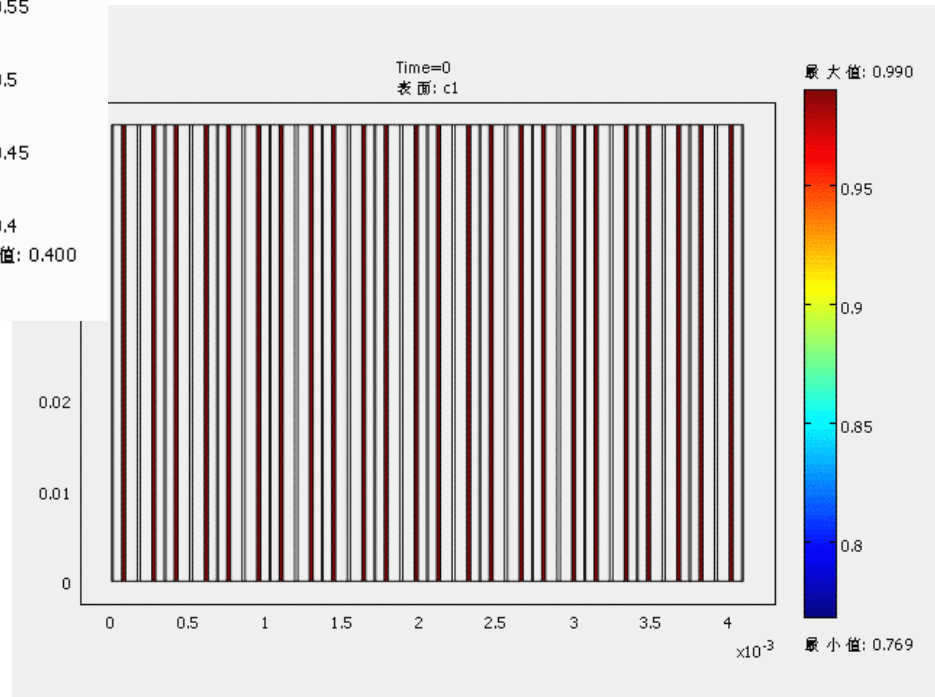
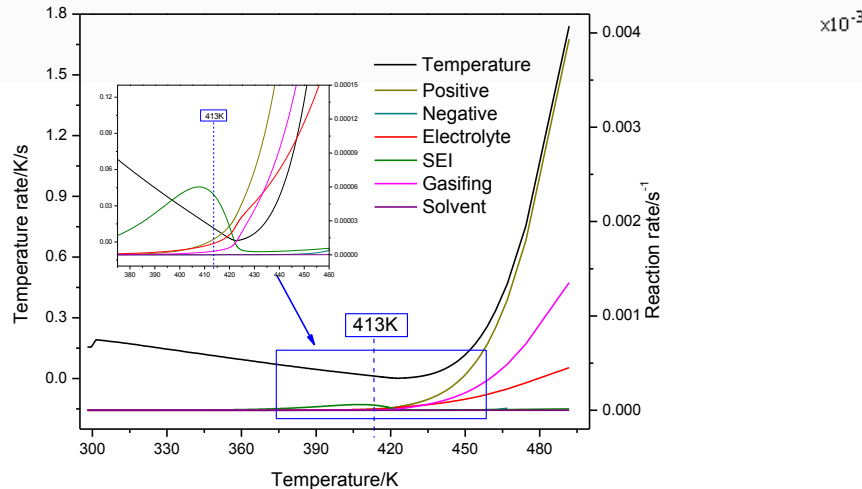
Electrolyte
concentration



最大值: 0.821



最小值: 0.400

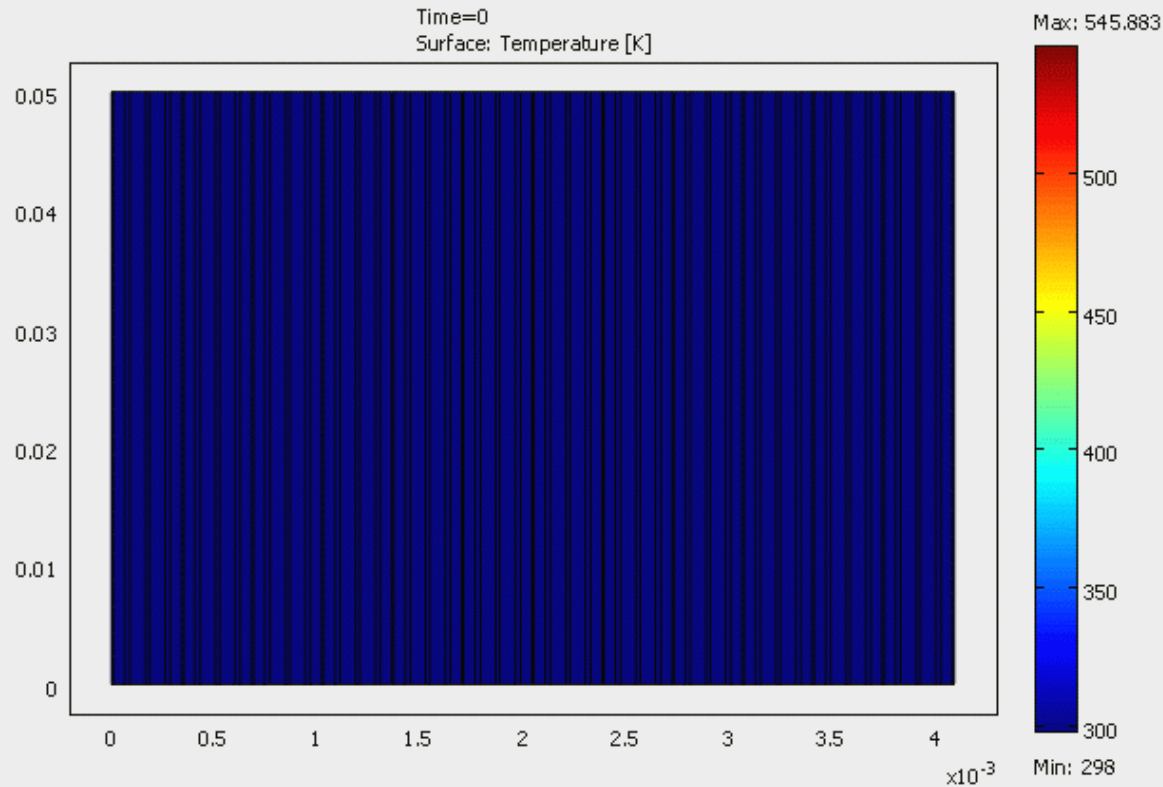


Thermal simulation

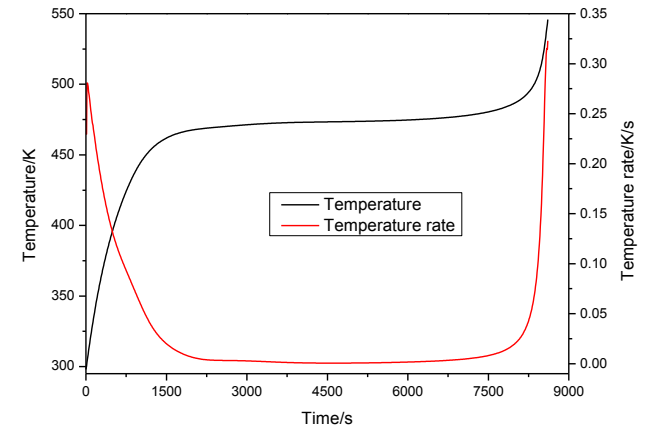
LiFePO₄/C cell

468K

Oven test



Temperature



Thermal simulation

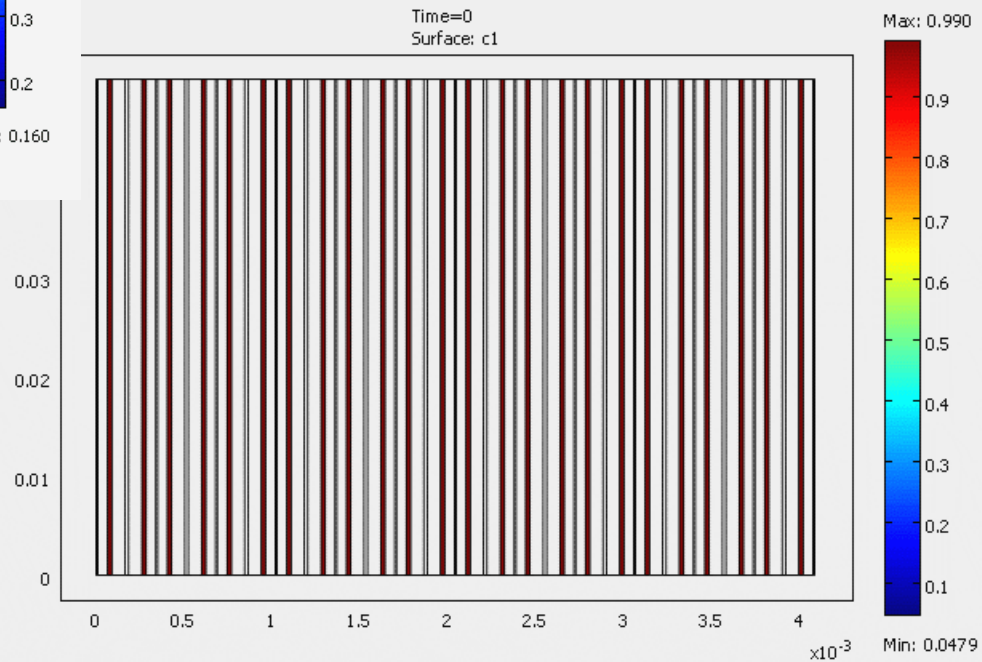
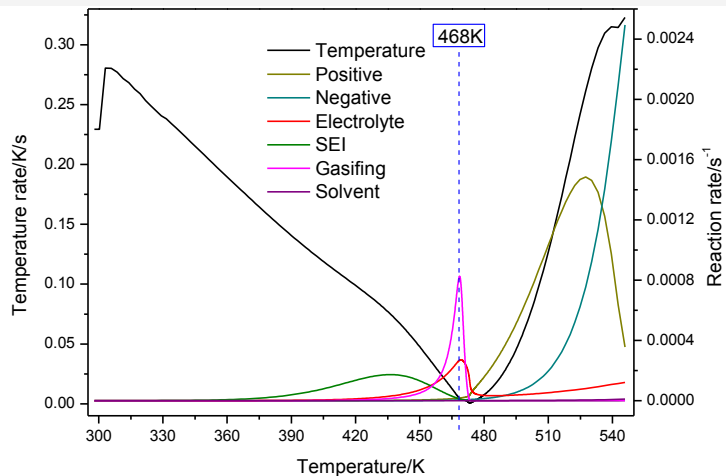
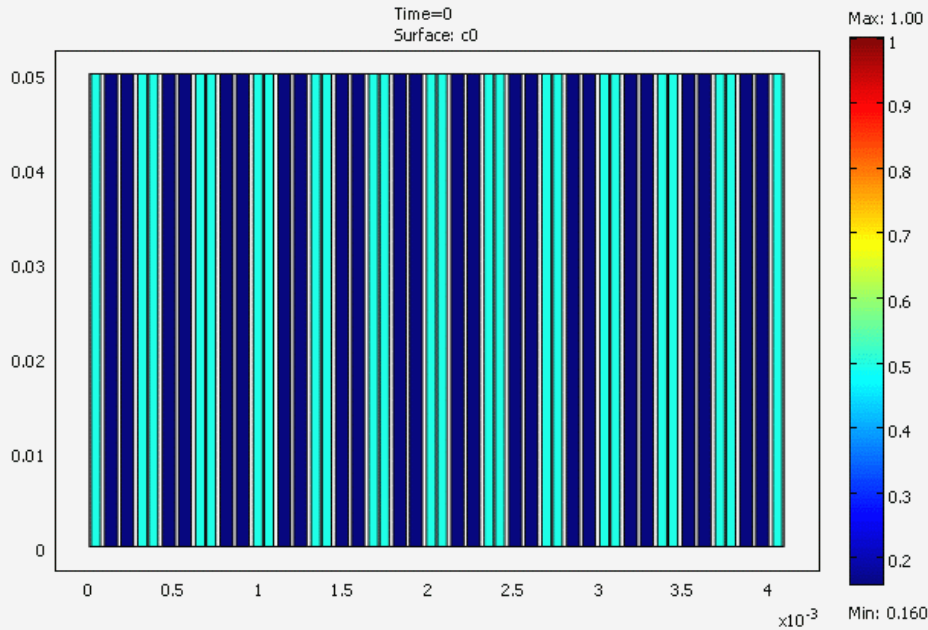
Oven test

LiFePO₄/C cell

468K

Electrode
concentration

Electrolyte
concentration

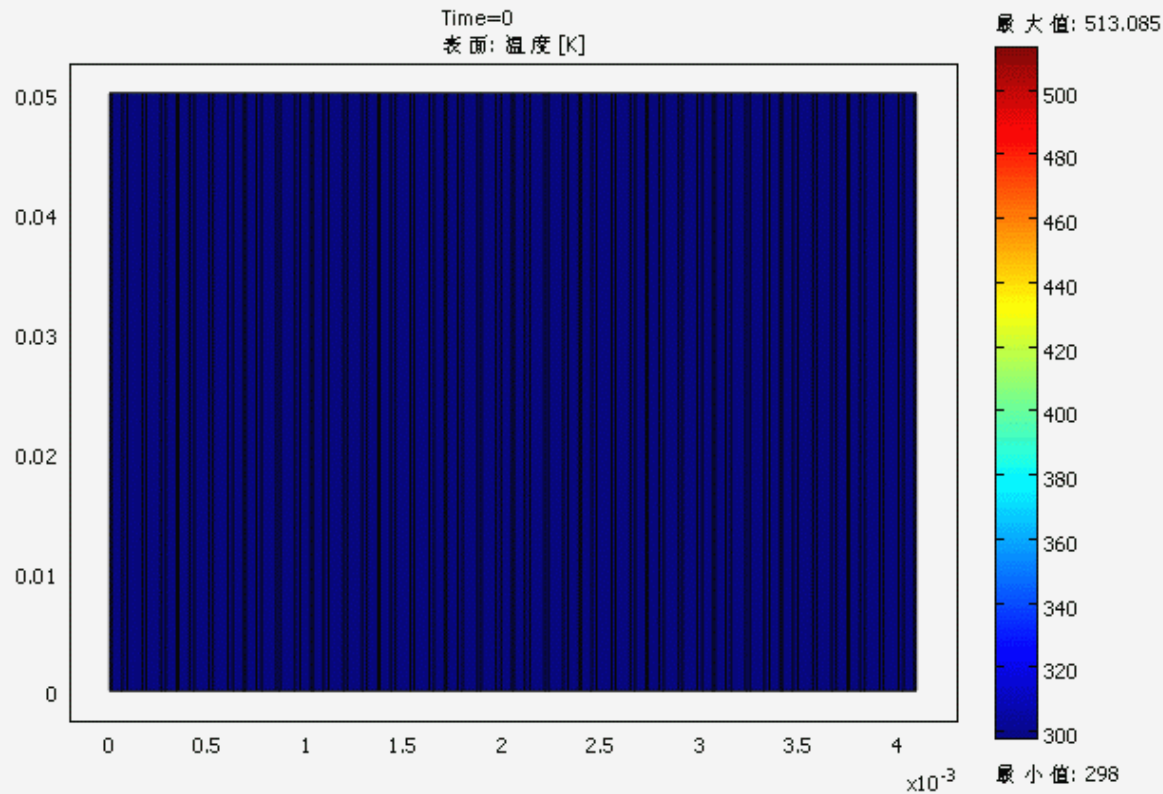


Thermal simulation

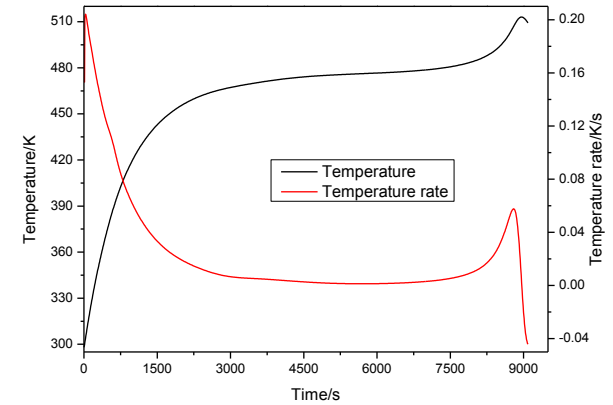
LiFePO₄/Li-Ti-O cell

468K

Oven test



Temperature



Thermal simulation

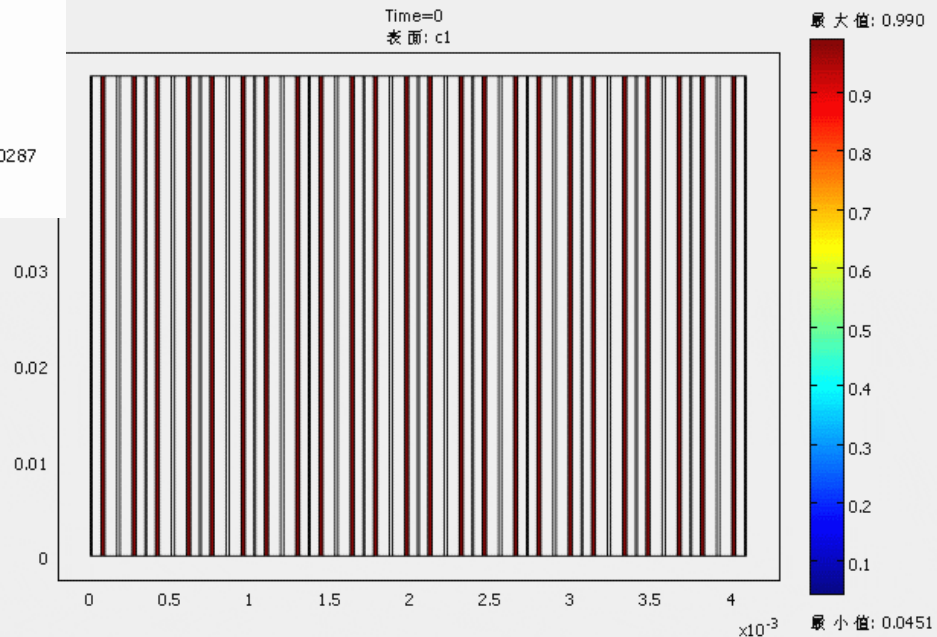
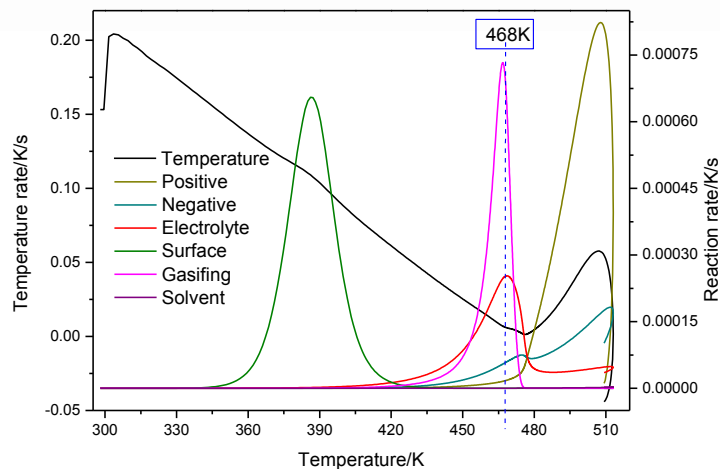
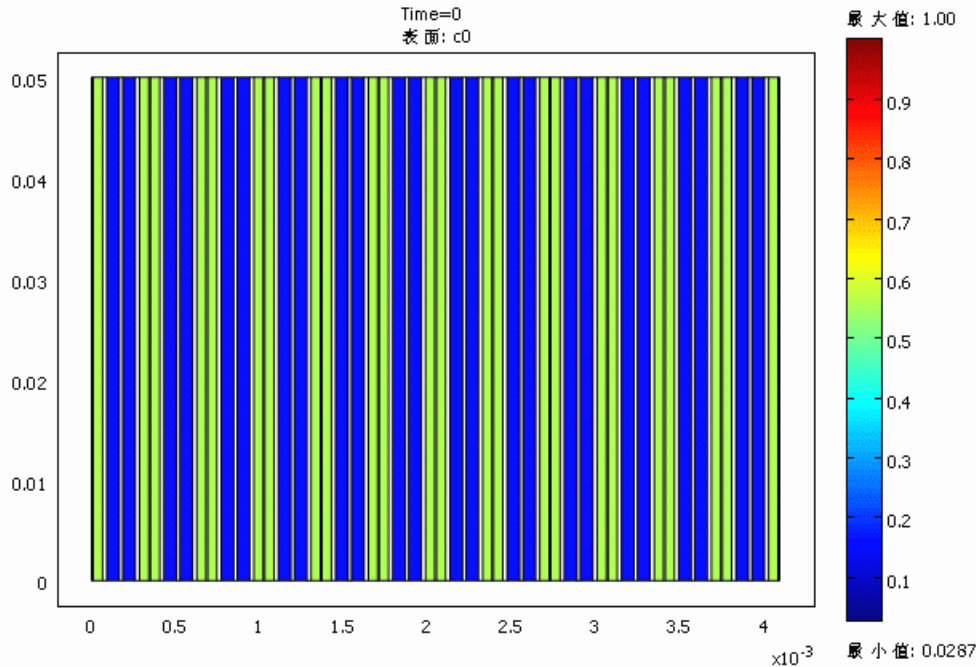
Oven test

LiFePO₄/Li-Ti-O cell

468K

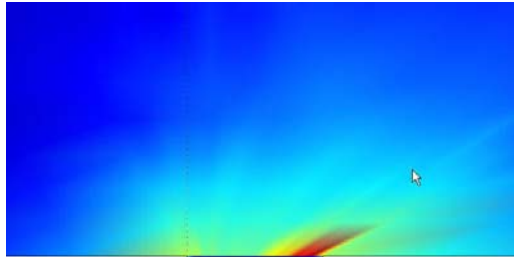
Electrode
concentration

Electrolyte
concentration



Electric current and temperature distribution on collector

Electric current

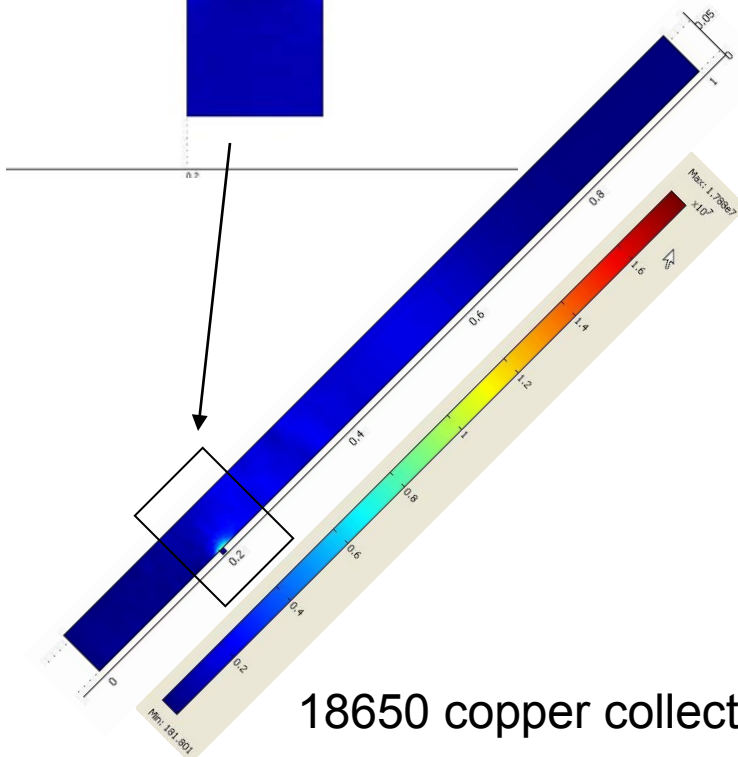


Physical models:

Heat transfer , Static electric

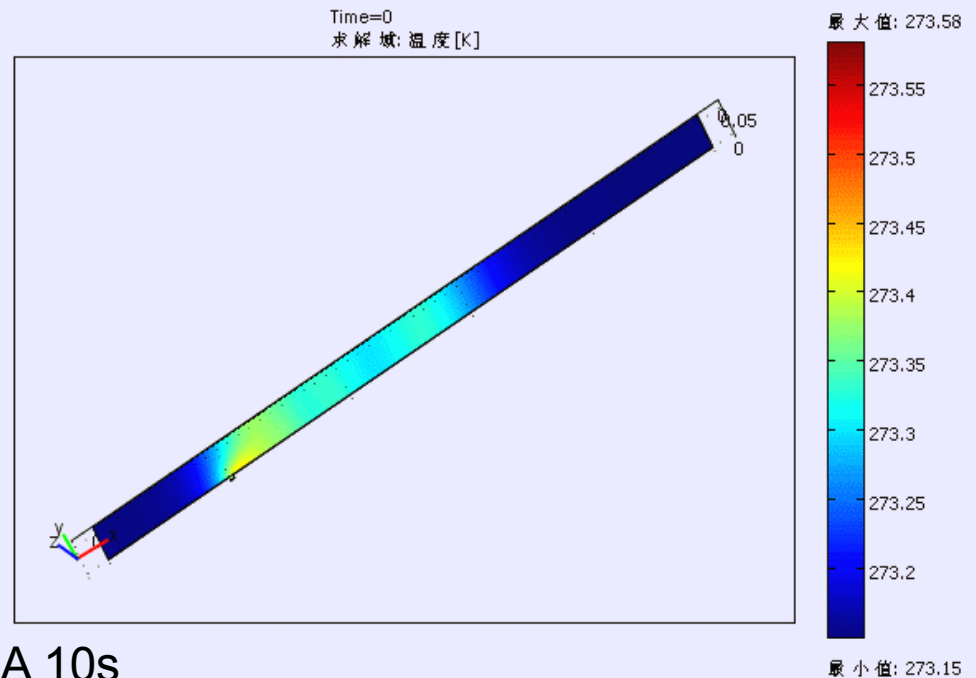
Parameter:

Conductance , Heat transfer coefficient, Thermal capacity , Heat conduction coefficient , Density



18650 copper collector 1A 10s

Temperature



最小值: 273.15

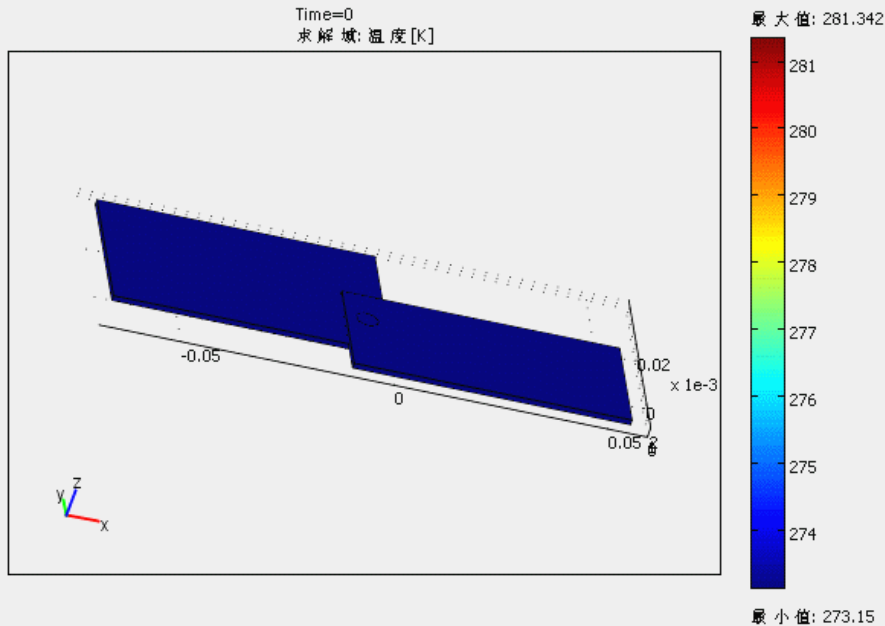
Electric current and temperature distribution on joint

Physical models:

Heat transfer , Static electric

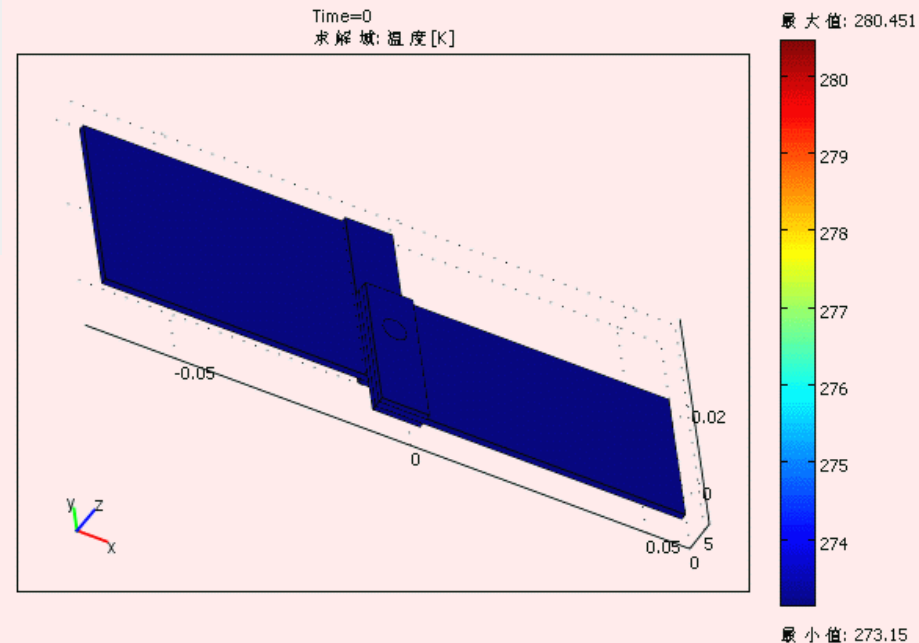
Parameter:

Conductance, , Heat transfer coefficient, Thermal capacity , Heat conduction coefficient , Density



80A for 1200s

Temperature

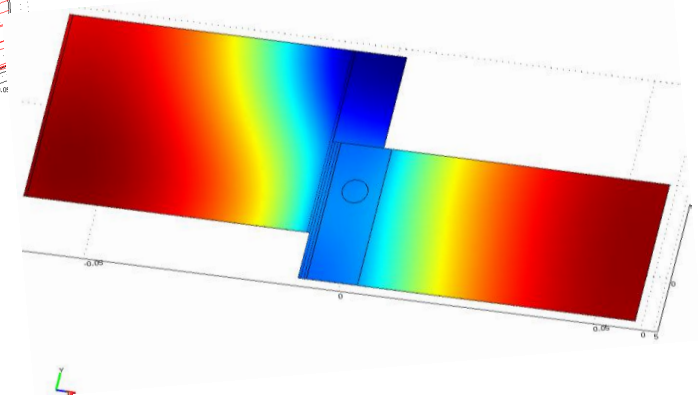
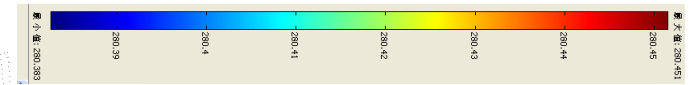
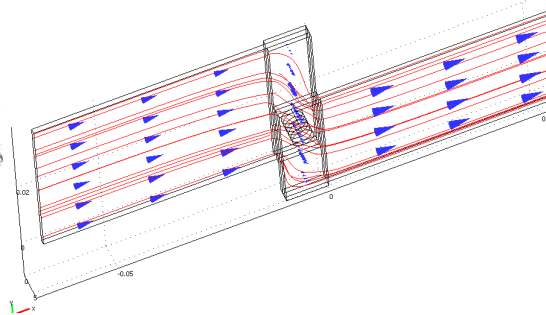
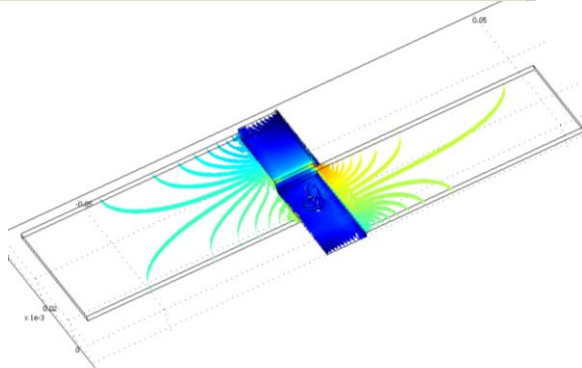
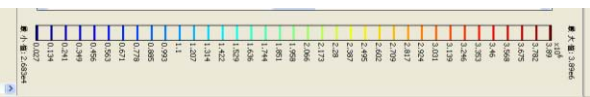
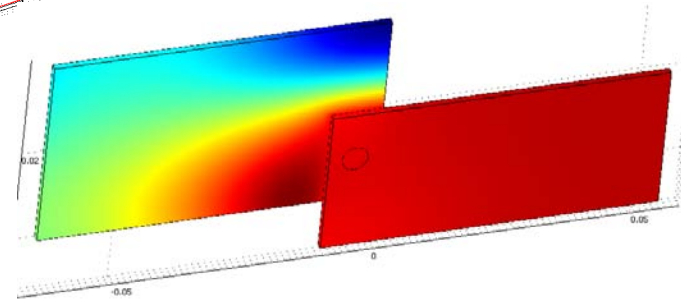
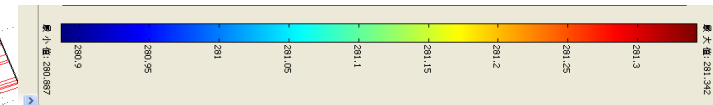
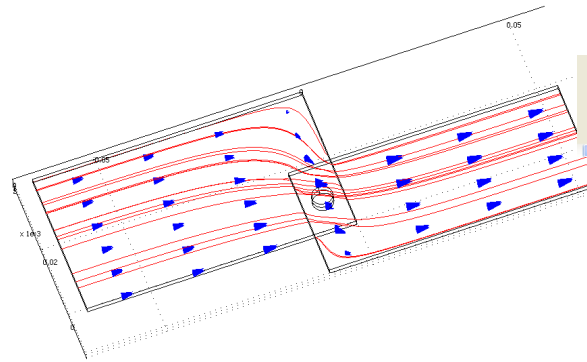
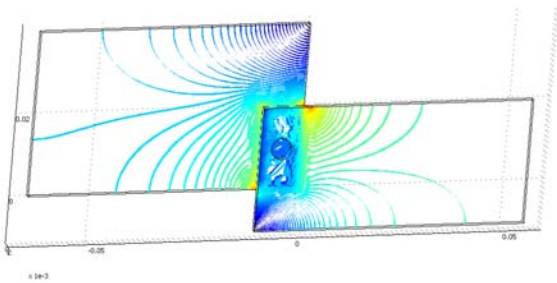
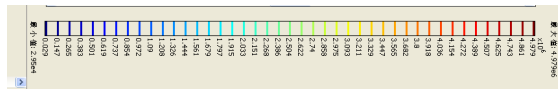


Electric current and temperature distribution on joint

Electric current grads

Electric current arrow

Temperature(1200s)



Stretch and stress

18650 cell

Positive expanding 3%

Negative expanding 5%

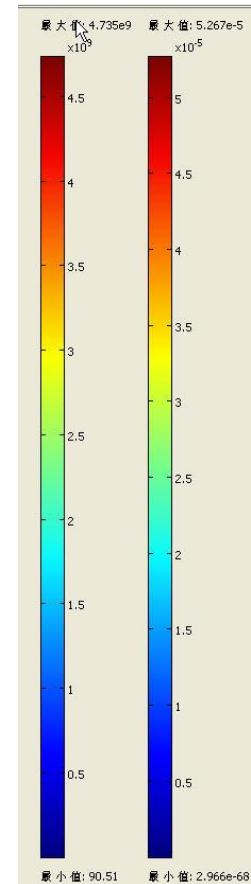
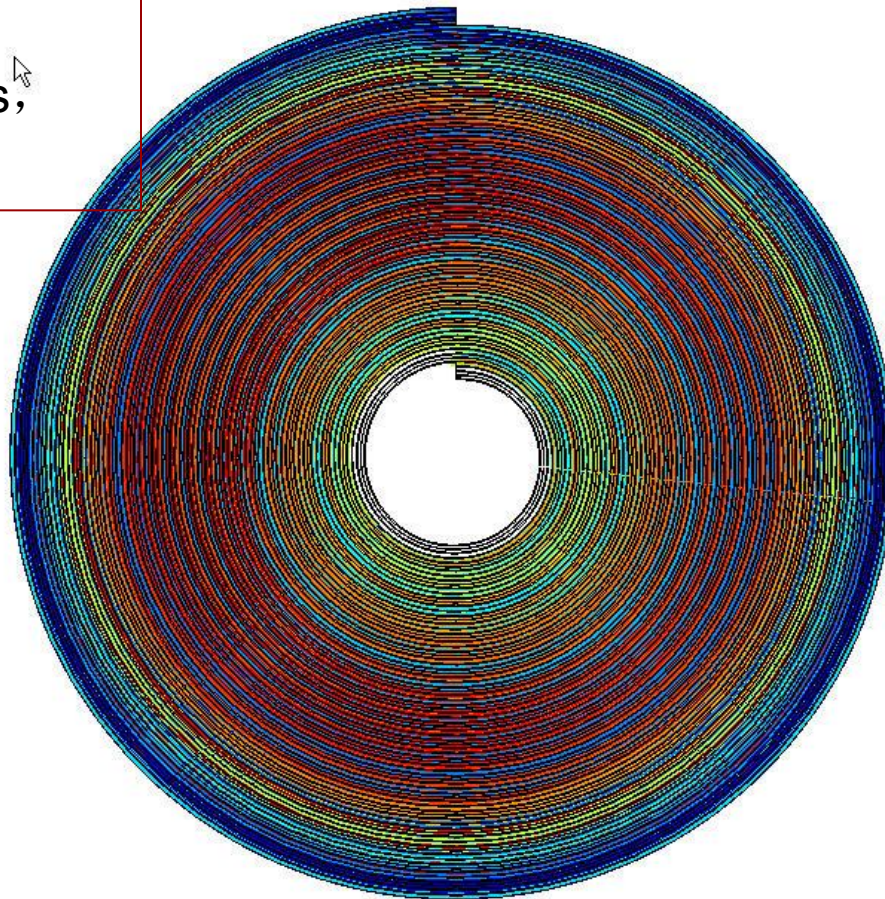
Physical models:

Structure

Parameter:

Young's modulus,

Poisson's ratio



Conclusion



Using COMSOL soft

- **Simulation on charge-discharge behavior of lithium ion cells :** the precision depends on models and conditions;
- **Simulation on thermal and safety of lithium ion cells:** availability, to forecast the cells safety under different conditions !
- **Design for lithium ion cells structure:** To direct the design for cell with high capacity and high rate, by analyzing the collector , stress, et al